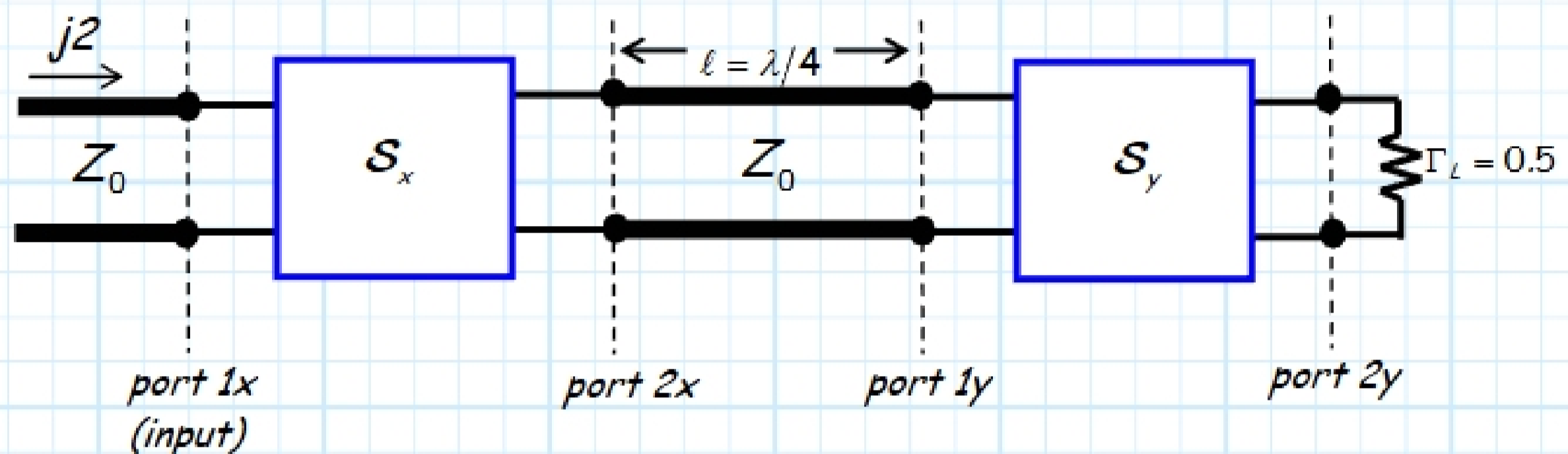


# Example: Analysis Using Signal Flow Graphs

Below is a **single-port** device (with **input** at port 1a) constructed with two two-port devices ( $S_x$  and  $S_y$ ), a quarter wavelength transmission line, and a load impedance.



Where  $Z_0 = 50\Omega$ .

The scattering matrices of the two-port devices are:

$$S_x = \begin{bmatrix} 0.35 & 0.5 \\ 0.5 & 0 \end{bmatrix} \quad S_y = \begin{bmatrix} 0 & 0.8 \\ 0.8 & 0.4 \end{bmatrix}$$

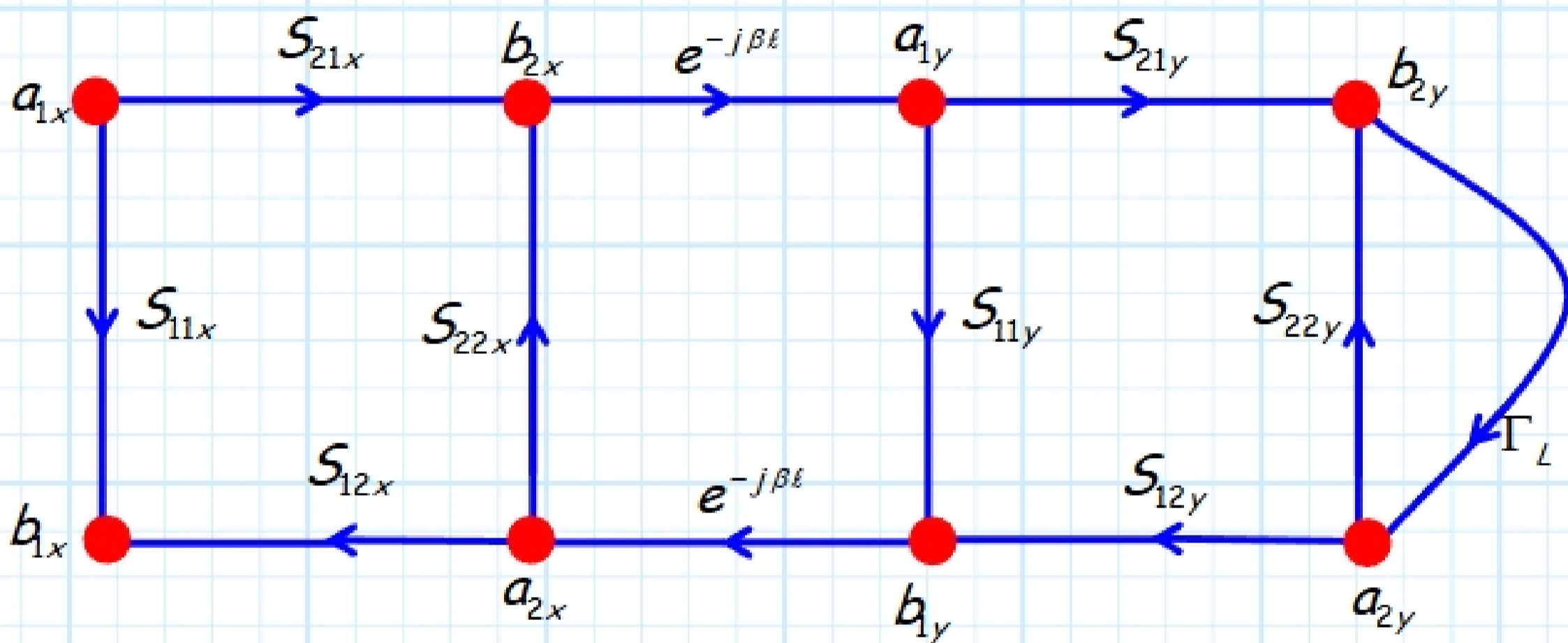
Likewise, we know that the value of the voltage wave **incident** on port 1 of device  $S_x$  is:

$$a_{1x} = \frac{V_{01x}^+ (z_{1x} = z_{1xp})}{\sqrt{Z_0}} = \frac{j2}{\sqrt{50}} = \frac{j\sqrt{2}}{5} \quad V$$

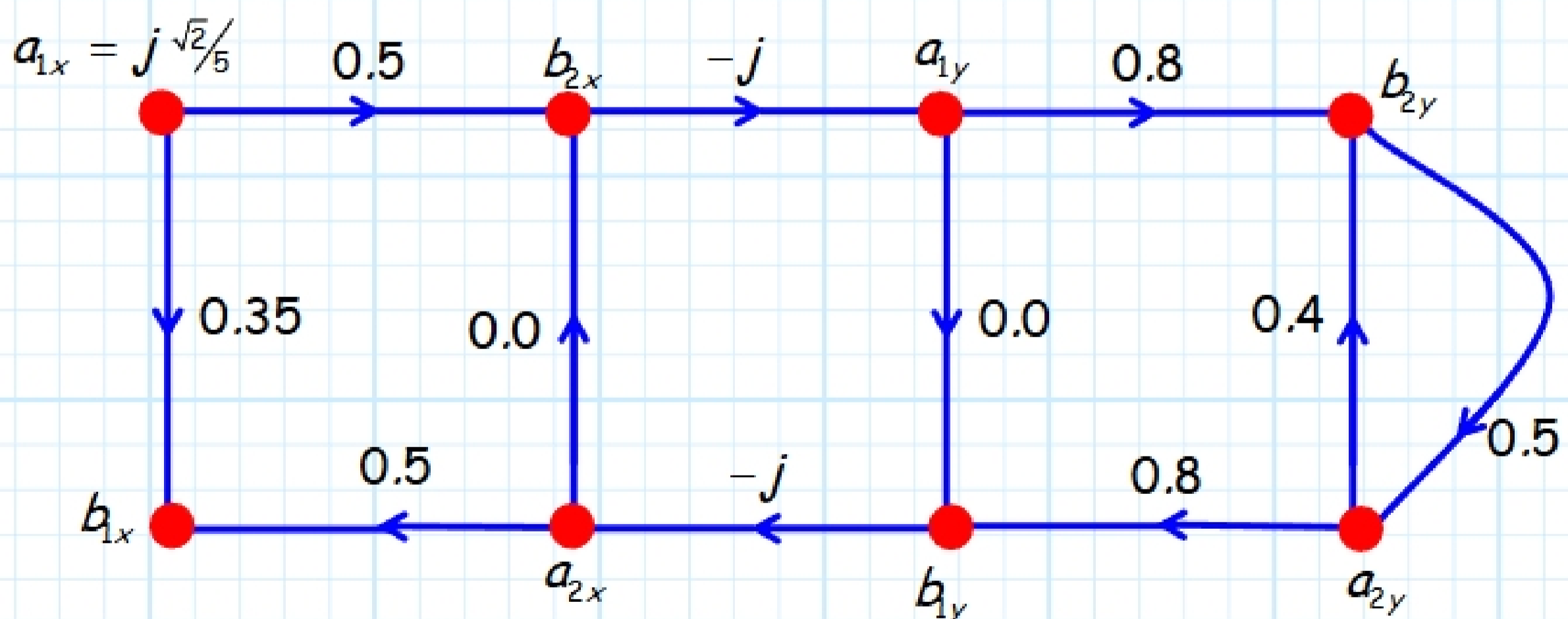
Now, let's draw the complete **signal flow graph** of this circuit, and then reduce the graph to determine:

- The total current through load  $\Gamma_L$ .
- The power delivered to (i.e., absorbed by) port  $1x$ .

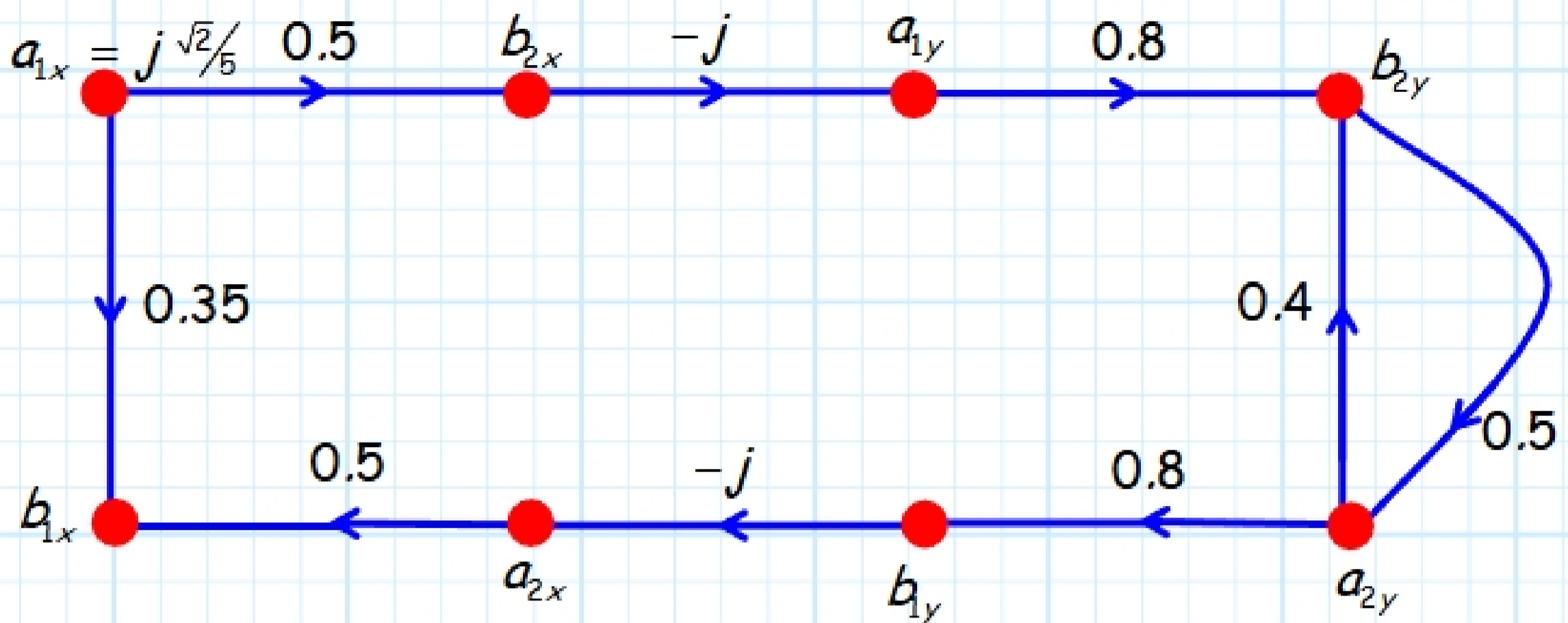
The signal flow graph describing this network is:



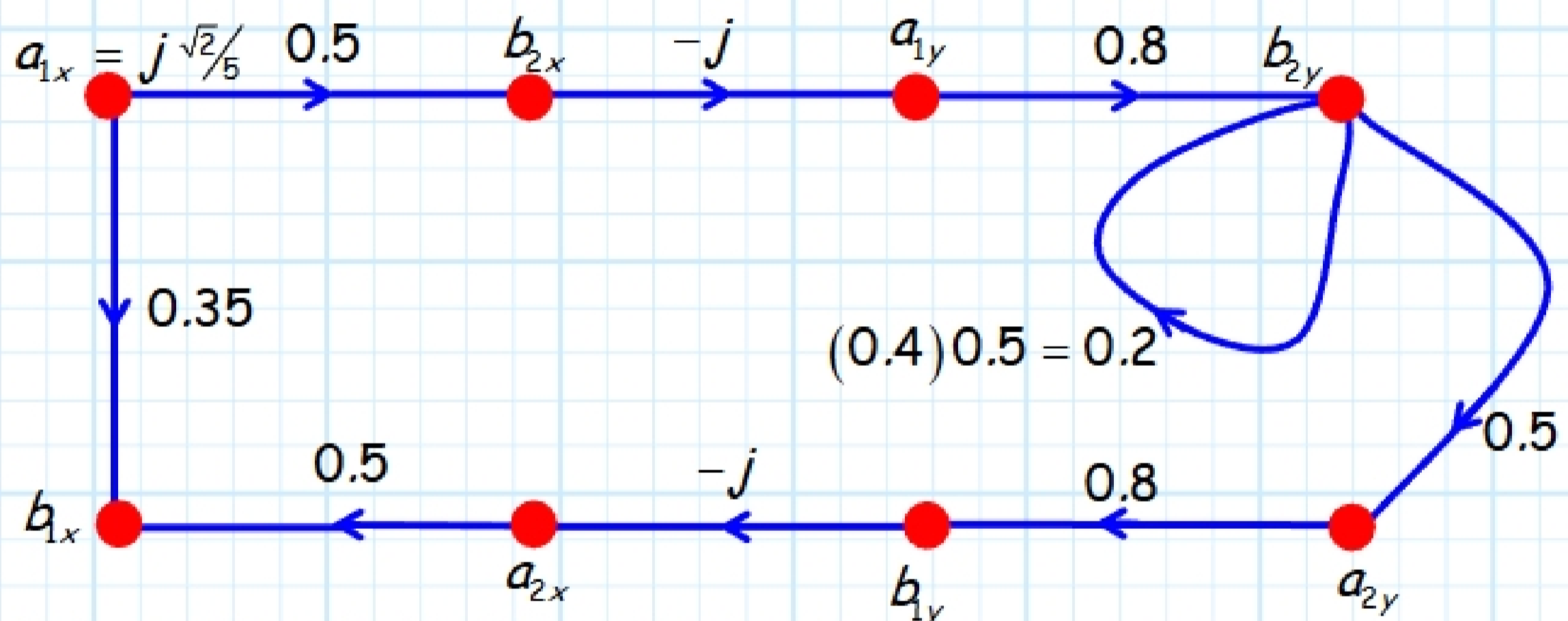
Inserting the numeric values of branches:



Removing the zero valued branches:



And now applying "splitting" rule 4:



Followed by the "self-loop" rule 3:

