

Chapter 15: Acids & Bases

Arrhenius: Acid increases H^+ , Base increases OH^-

Bronsted: Acid donates proton, Base accepts

Lewis: Acid accepts e^- pair, base donates

Acid Strength influenced by: bond polarity & bond strength

-increases going down a column, across a row, w/ # of O's

-decreases w/ increasing electronegativity

$$K_w = 1.0 \times 10^{-14} = [H^+][OH^-] \quad K_w = K_a \times K_b$$

If K is small, preference for reactants

Strong Acids: $HClO_4$, H_2SO_4 , HI , HBr , HCl , HNO_3

Strong Bases: $LiOH$, $NaOH$, KOH , $Ca(OH)_2$, $Sr(OH)_2$, $Ba(OH)_2$

$$pH = -\log[H_3O^+] \quad [H_3O^+] = 10^{-pH} \quad pH + pOH = 14$$

Chapter 16: Acid-Base Equilibrium, Buffers

$$K_a = [H_3O^+][A^-]/[HA] \quad K_b = [HB^+][OH^-]/[B]$$

% of ionization = x /original conc.

Small $K_a \rightarrow$ weak acid; large $K_a \rightarrow$ strong acid

Properties of salt solutions:

-strong acid + strong base: neutral sltn ($NaCl$)

-weak acid + strong base: basic sltn ($NaCN$)

-strong acid + weak base: acidic sltn (NH_4Cl)

-weak acid + weak base: depends on K_a vs. K_b

Buffers: resist changes in pH

Adding HCl to pure water: $[H_3O^+] =$ amount H^+ added/total volume

Henderson-Hasselbach Eqtn: $pH = pK_a + \log(B/A)$

$$pK_a = -\log(K_a)$$

Acid/Base Titration Curve: plot of pH vs. amount acid/base added

Equivalence point: # mols acid = # mols base

After equiv. point: $V_A >$ total volume; before: $V_A <$ total volume

$$\text{After EP: } -\log(cA \times vA - cB \times vB) / V_{\text{total}}$$

Chapter 18: Thermodynamics & Equilibrium

Entropy (S) Enthalpy (H) Free Energy (G)

$\Delta S = q/T$, @ eqibm; $\Delta S > q/T$, rxn spontaneous

$$\Delta S = \Delta H_{\text{vap}}/T \quad \Delta G^\circ_T = \Delta H^\circ - T \Delta S^\circ$$

3rd law: a perfect crystalline @ 0K has entropy of 0

Entropy increases when...

-rxn in which a molecule is broken down into 2+

-rxn in which there is an increase in mols of gas

-a process in which solid \rightarrow gas/liquid or liquid \rightarrow gas

$$\Delta S^\circ = \sum nS^\circ(\text{products}) - \sum mS^\circ(\text{reactants})$$

$$\Delta G^\circ = \sum nG^\circ_f(\text{products}) - \sum mG^\circ_f(\text{reactants})$$

$$\Delta G = \Delta H - T\Delta S \quad W_{\text{max}} = \Delta G$$

When... ΔG° is large (-), rxn is spontaneous and proceeds

ΔG° is large (+), rxn is nonspontaneous

ΔG° is small (- or +), rxn is @ eqibm

$$\Delta G = \Delta G^\circ + RT \ln Q \quad \Delta G^\circ = -RT \ln K \quad (R = 8.31 \text{ J/mol K})$$

Effect of Temp. on Rxn Spontaneity:

ΔH°	ΔH°	ΔH°	Description
-	+	-	Spont. @ all temps
+	-	+	Non @ all temps
-	-	+/-	Spont @ low, non @ high
+	+	+/-	Non @ lol, spont. @ high

*to find temp. at which a rxn becomes spontaneous:

$$-\Delta G^\circ, \text{ solve for } T = \Delta H^\circ / \Delta S^\circ$$

Chapter 14: Chemical Equilibrium

$$K_p = K_c (RT)^{\Delta n} \quad \Delta n = \text{change in \# mols of gas}$$

R = gas constant (.08206 Latm/molK)

When... $K_c \gg 1$, nearly all products @ eqibm

$K_c = 1$, mixture of both

$K_c \ll 1$, nearly all reactants @ eqibm

Q vs. K_c ...

$Q > K_c$, the rxn goes to left (more reactants)

$Q = K_c$, the rxn @ eqibm

$Q < K_c$, the rxn goes to right (more products)

*do not omit $[H_2O]$ for K_c , only K_a or K_b

*don't forget about coefficients as exponents in K 's

Chapter 14: Chemical Equilibrium (cont.)

3 ways to alter eqibm: 1.) change conc. by removing products or adding reactants

2.) change the partial pressures by changing volume 3.) change the temp

*if P is increased (by decreasing V), rxn shifts in direction of fewer gas molecules

*for endo rxn, incr. temp \rightarrow incr. of Products; exo rxn, decr. temp \rightarrow incr. react.

*a catalyst has no effect on eqibm, only increases speed of rxn

*heterogeneous eqibm: omit solids

Chapter 19: Electrochemistry

Faraday's Constant: $1F = 96485 \text{ C} / 1 \text{ mol } e^-$

$$1AS = 1C/1s$$

$$W = (-F)(\text{potential difference}) \quad \text{units: } J = C \cdot V$$

Red Cat: reduction occurs at cathode

$$W_{\text{max}} = -nFE_{\text{cell}} \quad \dots \text{where } n = \text{\# moles of } e^-, F = \text{Faraday's constant}$$

$$E_{\text{cell}} = E_{\text{cathode}} - E_{\text{anode}} \quad E_{\text{cell}} = RT \ln K/nF \quad E_{\text{cell}} = .0592/n \log K$$

$$\Delta G = -nFE_{\text{cell}} \quad \Delta G^\circ = -nFE_{\text{cell}}^\circ \quad E_{\text{cell}} = E_{\text{cell}}^\circ - (.0592/n \log K)$$

Voltaic Cells: spontaneous, + E_{cell}

* e^- flow toward cathode; cations flow toward cathode, anions flow toward anode

*to determine initial voltage: solve for E_{cell}

*to determine voltage after X amps for Y hours:

-change Y to seconds, then convert to C to mol e^- to mol ions consumed (D)

-then find new conc. [reactant ion consumed] = original - D

-then find new conc. [product ion produced] = original + D

*to determine how long battery can deliver Z amps before going dead:

-change original mol ion consumed to mol e^- to (Z)C to seconds

*to determine the cell potential when the conc. of X ion falls to Y amount:

-determine new Q, but make sure you add the difference of the change from

the original top conc. (ex: 1.5 M Cu^{2+} & .05 M Pb^{2+} ; Cu^{2+} falls to .2 M)

-difference: $1.5 - x = .2$, so $x = 1.3$

$$\text{-new } Q: [.05 + 1.3]/[.2] = [1.35]/[.2]$$

*aqueous electrolysis: what might occur @ anode/what might occur @ cathode?

Chapter 17: Solubility & Complex Ion Equilibrium

Molar solubility: mols of ionic compound that dissolve to give 1L of saturated sltn

*X from ICE tables tells you molar solubility

*to calc. molar solubility in a different ion: (ex: calc. MS of $CuSO_4$ in $NaCN$)

-determine overall eqtn & break it up into 2 steps ($K_f \times K_{sp}$)

$$K_c = K_{sp} \times K_f$$

*the smaller the K_{sp} , the more insoluble

Criterion for Precipitation...

-if $Q_c > K_c$, a precipitate forms

-if $Q_c = K_c$, rxn is @ eqibm

-if $Q_c < K_c$, no precipitate forms

Fractional Precipitation:

-product w/ larger K_{sp} will precipitate first

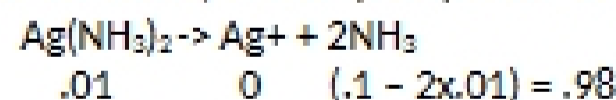
-min conc. to trigger precipitation: solve for $Q = K_{sp}$

Complex Ion Equilibria:

$$K_f (\text{formation constant}); K_d (\text{dissociation constant}) \quad K_d = 1/K_f$$

*to determine if a precip will form in a complex ion:

-rearrange to K_d format, the init. conc. on the right will be given amount - (2x the final amount) ex: will precip form from .010 M $AgNO_3$ & .1 M NH_3 ?



Amphoteric hydroxides: metal hydroxide that reacts w/ both acids and bases

Ex: Zn^{2+} , Al^{3+} , Cr^{3+} , Pb^{2+} , Sn^{2+} , Sn^{4+}

*to determine if a precip will form when 2 volumes & molarities are given:

-find new conc. of both ions by dividing by total volume, then solve for Q

Separation of Metal Ions by Sulfide Precipitation:

-determine which precipitates first (larger K_{sp})

-determine sulfide conc. which will trigger 1st precipitate ($Q = K_{sp}$)

Chapter 20: Nuclear Chemistry

Methods of Radioactive Decay:

-Alpha Emission: a 4_2He nucleus is ejected

-Beta Emission: an electron is ejected

-Positron Emission: a proton is ejected

-Electron Capture

-Gamma Emission: release of energy

Spontaneous Fission: an unstable nucleus splits into 2 separate ones

Chapter 20: Nuclear Chemistry (cont.)

Special stabilities for nucleons:

- protons: 2,8,20,28,50,82
- neutrons: 2,8,20,28,50,82,126

Electron Volt (eV): $1 \text{ eV} = 1.602 \times 10^{-19} \text{ J}$

Rate_{decay} = $k N_t$...where k = radioactive decay constant

N_t = # of radioactive nuclei remain @ time T

Curie (Ci): unites for Rate of decay ($1 \text{ Ci} = 3.7 \times 10^{10} \text{ dis/sec}$)

*if given amount remaining in grams: convert to mol to nuclei

6.02×10^{23} nuclei per mole (Avogadro's #)

Half Life: amount of time it takes for half of the nuclei to decay

$$t_{1/2} = .693 / k$$

Radioactive Dating: 1 s = the duration of 9,192,631,770 periods of Radiation corresponding to transitions of a Cesium-133 nucleus

$\ln(N_t/N_0) = -kt$...where N_0 = # nuclei @ time 0

*always use these equations in the units of seconds

*to determine amount of Beta emissions that occur in X days:

- solve for k , convert days to seconds & solve for N_t
- then take difference ($N_0 - N_t$) & convert g to mols and then to decays using Avogadro's #

*to determine mass of nuclide that remain after X days:

- convert time to seconds, solve for k , then solve for N_t

Chapter 13: Kinetics

Factors that affect how long a rxn will take:

- as conc. of reactants increases, rate increases
- as conc. of catalyst increases, rate increases
- as temp/surface area increases, rate increases
- does not depend on total quantity consumed
- *conc. matters more

Rate of formation: $\Delta[C]/\Delta t$

Rate of consumption: $-\Delta[A]/\Delta t$

*when equating 2 rates, coefficients become fractions

Determining Rate Laws: if init. conc. of react. is doubled/tripled...

Order: rate multiplied by:

-1	$1/2$ / $1/3$
0	1 / 1
1	2 / 3
2	4 / 9

Integrated Rate Laws:

Order	Integrated Rate Law	Units of k	Half-life
0	$[A]_t = -kt + [A]_0$	$M \cdot s^{-1}$	$t_{1/2} = [A]_0 / 2k$
1	$\ln[A]_t = -kt + \ln[A]_0$	s^{-1}	$t_{1/2} = 0.693/k$
2	$1/[A]_t = -kt + 1/[A]_0$	$M^{-1} \cdot s^{-1}$	$t_{1/2} = 1/k[A]_0$

*if k is large, the rxn is fast

Temperature vs. Rxn Rate:

- activation energy (E_a)
- if E_a is low, the rxn is fast
- if temp. increases, k increases

...where $A =$

$E_a =$	Arrhenius constant
$R =$ gas	activation energy
$T =$ temp	constant (8.31)
$k =$ rate	constant

Elementary

Reactions:

- the simpler steps that + together to give a more complex rxn
- intermediates are crossed off
- slowest step determines overall speed of rxn

Molecularity Rates:

- unimolecular rate = $k[A]$
- bimolecular rate = $k[A][B]$
- terimolecular rate = $k[A][B][C]$

*to determine how fast a reactant is disappearing:

- if given other reactant, set them equal to each other
- if given product, set them equal to each other
- remember coefficients become fractions

Chapter 13: Kinetics (cont.)

*to determine how long until $[A]$ decays to 12.5%: (3 half-lives)

-solve for half-life and multiply by 3 (for 1st order rxns)

-for other orders: calc. regular half-lives, then the next one using new $[A]_0$

*if given $[A]_0 = .2M$, how long until the conc. reaches .015M? ($[A]_t = .015M$)

-use integrated rate law and solve for t

*don't write rate laws in terms of intermediates

-choose one intermediate to solve for and substitute

-combine all k 's together

Effect of Catalysts:

-don't change overall ΔH , only lowers E_a

*to determine rate law from initial rates of trials:

-compare exp 1 to 2, exp 1 to 3, and exp 1 to 4

-solve for each exponent (m, n, p)

Chapter 23: Organic Chemistry

*carbon makes 4 bonds, but only if sp , sp^2 , or sp^3

*if structure is unique, molecule is unique

Methyl: carbon at end

Methylene: carbon in middle w/ 2 H

Methyne: carbon in middle w/ 1 H

Constitutional isomers: same molecular formula, different structure

Saturated: all single bonds (C_nH_{2+2n})

Unsaturated: double bonds (π bonds), triple bonds, or rings

*to make a ring, you must remove 2 H atoms

Aromaticity: being in a ring w/ max double bonds

Carbon Roots: (meth, eth, prop, but, pent, hex, hept, oct, non, dec)

Naming Hydrocarbons (C & H only)

1. Find longest carbon chain
2. Any branches are named as alkyl groups
3. # the chain so substituents are at smallest #s
4. When more than 1 branch: use di, tri, tetra prefix
 - commas btwn #s, - btwn #s and letters
 - substituents are in abc order

Alkanes: all single bonds

Alkenes: double bonds

Alkynes: triple bonds

E (trans): opposite constituents

Z (cis): same side constituents

Amide: N atom connected to a carbonyl