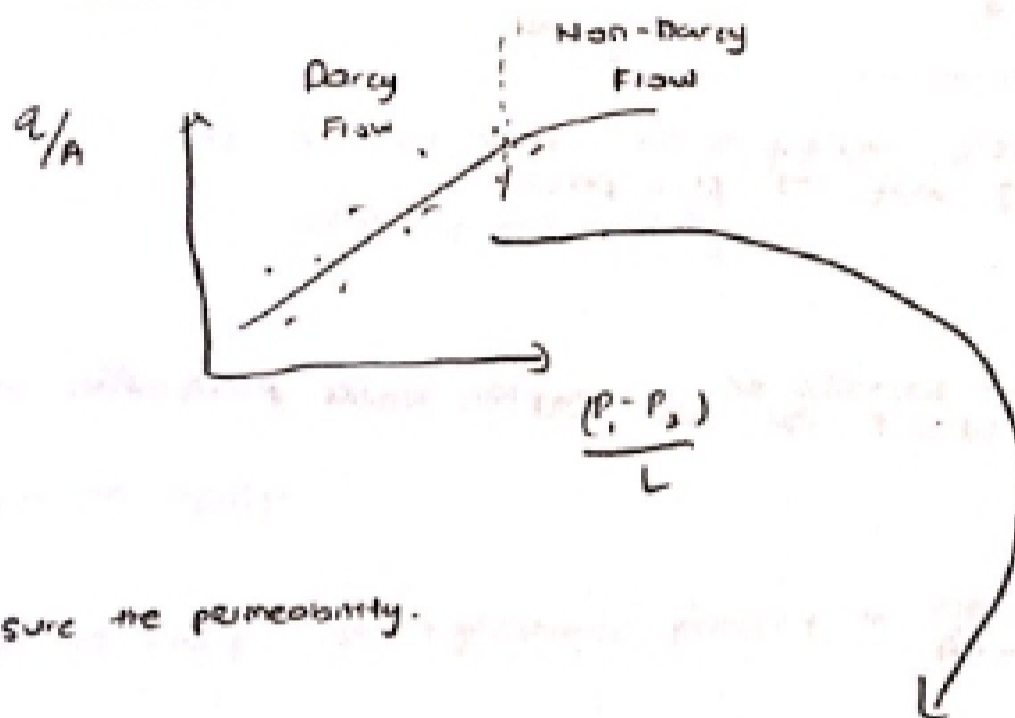


↳ cut, clean & flow a fluid to flow through the core plug

↳ record the P_{in} & P_{out}

↳ measure these at different flow rates



↳ to measure the permeability.

$$\frac{q}{A} = \frac{k}{\mu} \frac{\Delta P}{L}$$

the gradient will be

$$\frac{q/A}{\left(\frac{P_1 - P_2}{L}\right)} = \boxed{\frac{k}{\mu}}$$

↳ we cannot use darcy equation for non-darcy flow.

Issues Affecting Laboratory Measurement of Permeability

- ① core handling →
- core handling
 - cleaning
 - drying
 - storage
 - sampling

we re remove the core from high pressure formation, the gas & oil will try to escape & causes fracture.

① fluid-rock interaction

clays in the core sample are very reactive to water,

It will swell when get in contact with water, it affects the permeability

test may cause fines migration, plugging pore throats and reducing permeability

② pressure

the permeability of the sample will be affected by the differential pressure that we apply.

when we apply high hydrostatic pressure in the reservoir, the formation will face compaction, so the permeability will be different when we test on the free core sample.

③ core heterogeneities.

Laboratory Analysis of Gas Flow mean pressure method

for low pressure

$$\bar{q} = \frac{k A}{\mu_j L} \left(\frac{l}{P} \right) \left(\frac{P_1^2 - P_2^2}{2} \right)$$

EXAMPLE

Determine the absolute permeability

given

standard pressure & temperature 60 °F 141.64 psia

$L = 2.5 \text{ in}$

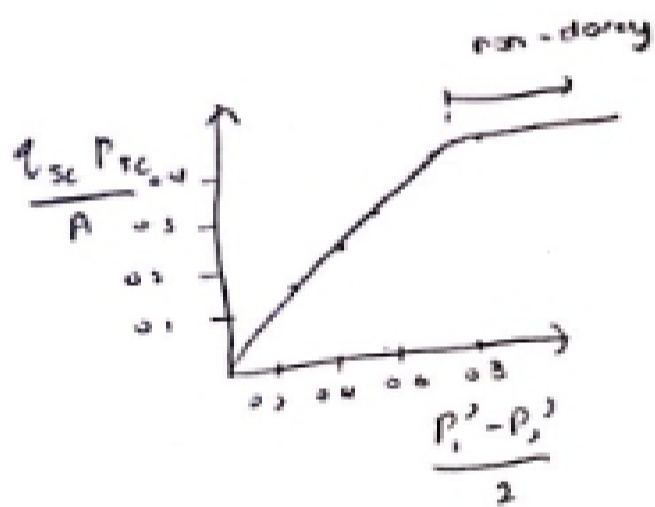
$D = 1.00 \text{ in}$

$P_{\text{atm}} = 141.6 \text{ psia}$

$\mu_{\text{nitrogen}} = 0.019 \text{ cp}$

solution

$$q_{g,sc} = \frac{k}{\mu} \left(\frac{A}{P_{sc}} \right) \left(\frac{P_1^2 - P_2^2}{2L} \right)$$



$$\Rightarrow \frac{k}{\mu} = 0.7 \text{ cm}$$

$\frac{P_1^2 - P_2^2}{2L} \left(\frac{\text{atm}^2}{\text{cm}} \right)$	$\frac{q_{sc} P_{sc}}{A} \left(\frac{\text{cm atm}}{\text{s}} \right)$
0.6	0.41
0.366	0.382
0.578	0.347
0.289	0.335
0.197	0.118

- END -