

• Announcements:

↳ Project is due this Friday, 5/1, at 8 p.m.

• Today:

↳ Effect of Feedback on  $Z_i$  and  $Z_o$

↳ Feedback loading

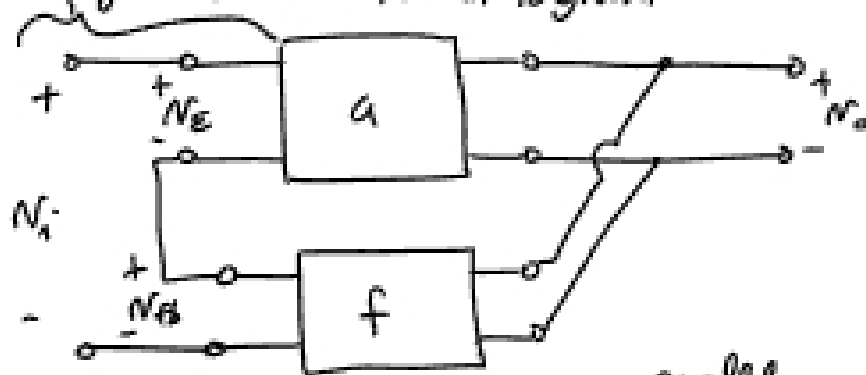
↳ Procedure for inspection analysis of FB

Last Time -

Identification of FB Connection Types

Series Connection - FB network part in series w/ amplifier part

↳ must go thru both the FB part & the amplifier part to get from the node of interest to ground



Shunt Connection - FB network part in shunt w/ amplifier part

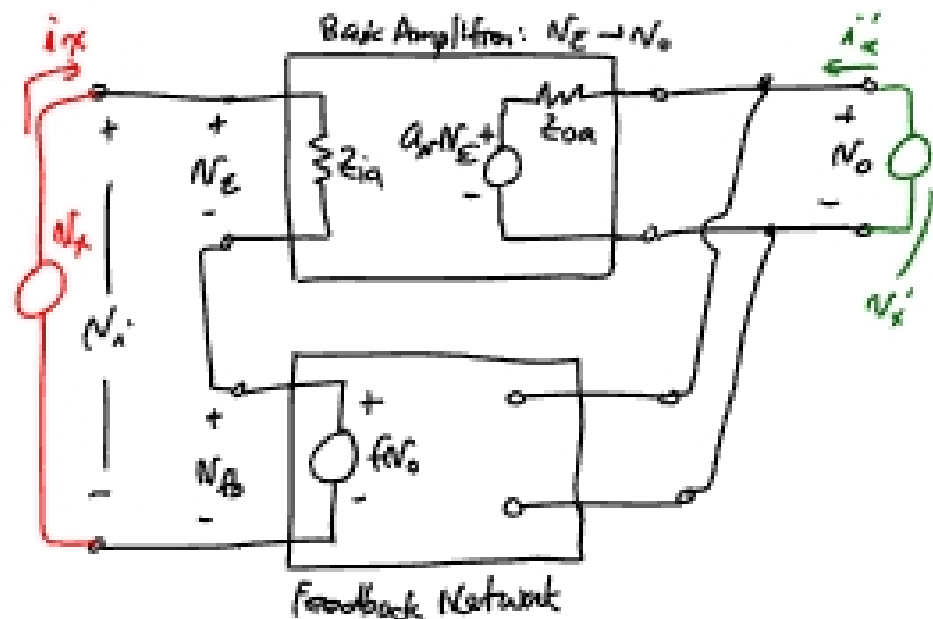
↳ can get from the node of interest to ground via either FB network part or the amplifier part

Effect of FB on  $Z_i$  &  $Z_o$

Ex Series-Shunt FB

Assumption: FB network has ideal impedances

↳ i.e., it does not load the basic amplifier



Find the T.F. -

$$\left. \begin{aligned} N_E &= N_i - N_{FB} \\ N_o &= a_v N_E \\ N_{FB} &= f N_o \end{aligned} \right\} \Rightarrow \frac{N_o}{N_i} = \frac{a_v}{1 + a_v f} \quad (\text{as expected})$$

Find  $Z_i = \frac{N_x}{I_x}$ :

$$N_x = N_E + N_{FB}$$

$$= N_E + fN_o = N_E + a_{vf}N_E = N_E(1 + a_{vf})$$

$$I_x = \frac{N_E}{Z_{ia}}$$

$$Z_i = \frac{N_x}{I_x} = \frac{N_E(1 + a_{vf})}{\frac{N_E}{Z_{ia}}} = Z_{ia}(1 + a_{vf}) = Z_i$$

Input Impedance raised! by  $(1 + a_{vf})!$   
 ↳ makes for a better voltage amplifier!

When we connect correctly @ input!

Find  $Z_o = \frac{N_x'}{I_x'}$  (w/ input shorted)

$$N_E + N_{FB} = N_E + fN_o' = 0 \rightarrow N_E = -fN_o'$$

$$I_x' = \frac{N_x' - a_{vf}N_E}{Z_{oa}} = \frac{N_x' + a_{vf}fN_o'}{Z_{oa}}$$

$$\frac{N_x'}{I_x'} = \frac{Z_{oa}}{1 + a_{vf}} = Z_o$$

Output impedance lowered by a factor of  $(1 + a_{vf})!$   
 ↳ Again, makes for a better voltage amplifier!

Overall, series-shunt FB improves the impedance characteristics of a  $N \rightarrow N$  amplifier:  $Z_i \uparrow, Z_o \downarrow$  due to FB

Ex. Shunt-Series FB

⇒ Again, assume FB network does not load the amplifier.

Basic Amplifier:  $i_E \rightarrow i_o$

Feedback Network:  $i_o \rightarrow i_x'$

Find the T.F.:

$$i_o = a_i i_E$$

$$i_E = i_x - i_x' = i_x - f i_o$$

$$\frac{i_o}{i_x} = \frac{a_i}{1 + a_i f}$$

current gain

Same as with  $N \rightarrow N$ .

It's a unilateral form!

Find  $Z_i = \frac{N_x}{I_x}$ :

$$\frac{N_x}{I_x} = \frac{Z_{ia}}{1 + a_i f} = Z_i$$

↳ Again, a shunt connection reduces the impedance by  $(1 + a_i f)!$

↳ Again, makes for a better voltage amplifier!

Find  $Z_o = \frac{N_2}{i_2}$ :  $\frac{N_2}{i_2} = Z_{oa}(1+a_v f) = Z_o$

series connection raises the impedance by  $(1+a_v f)$

everything together makes for a better  $i \rightarrow i$  amplifier when using shunt-series FB!

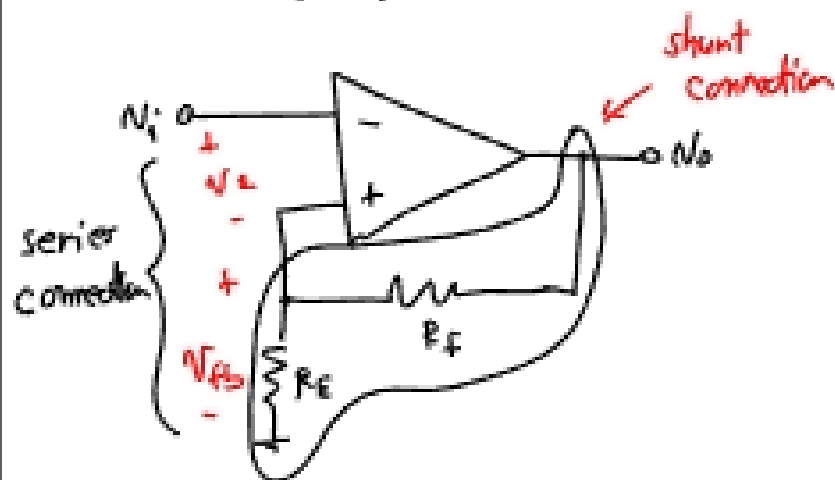
Summary.

- ① series connection:  $Z \rightarrow Z(1+T)$
- ② shunt connection:  $Z \rightarrow \frac{Z}{1+T}$

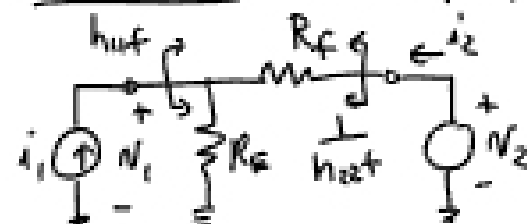
$\Rightarrow$  looked @ the handout + the prepared notes on "FB Loading".

Determine the FB Loading of an Amplifier

Ex. Non-Inverting Amplifier



The FB Network: (in terms of h-parameters)



$$h_{22f} = \frac{i_2}{N_2} \Big|_{i_1=0} = \frac{1}{R_E + R_F} \quad (\text{this is loading})$$

This is a conductance.

$$h_{12f} = \frac{N_1}{N_2} \Big|_{i_2=0} = \frac{R_E}{R_E + R_F} = f \quad (\text{feedback gain factor})$$

$$h_{11f} = \frac{N_1}{i_1} \Big|_{N_2=0} = R_E \parallel R_F \quad (\text{this is loading})$$

