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CS106B

Handout #7
April 3, 2009

Assignment #1—Simple C++

Parts of this handout were written by Julie Zelenski

Due: Friday, April 10

Part 1. Get your C++ compiler working

Your first task is to set up your C++ compiler. If you're using the machines in Stanford's public clusters, you don't need to do anything special to install the software. If you're using you own machine, you should consult one of the following handouts, depending on the type of machine you have:

- Handout #7M. Downloading XCode on the Macintosh
- Handout #7P. Downloading Visual Studio for Windows

Once you have the compiler ready, go to the assignments section of the web site and download the starter file for the type of machine you are using. For either platform, the **`Assignment1`** folder contains six separate project folders: one for this warmup problem and one for each of the five problems in Part 2 of the assignment. Open the project file in the folder named **`0-Warmup`**. Your mission in Part 1 of the assignment is simply to get this program running. The source file we give you is a complete C++ program—so complete, in fact, that it comes complete with two bugs. The errors are not difficult to track down (in fact, we'll tell you that one is incorrect arguments to a function call and the other is a needed **`#include`** statement is missing). This task is designed to give you a little experience with the way errors are reported by the compiler and what it takes to fix them.

Once you fix the errors, compile and run the program. When the program executes, it will ask for your name. Enter your name and it will print out a "hash code" (a number) generated for that name. We'll talk later in the class about hash codes and what they are used for, but for now just run the program, enter your name, and record the hash code. You'll email us this number. A sample run of the program is shown below:

```
Please enter your name: Eric
The hash code for your name is 339.
```

Once you've got your hash code, we want you to e-mail it to your section leader and introduce yourself. You don't yet know your section assignment, but will receive it via email after signups close, so hold on to your e-mail until then. I'd also appreciate if you would cc me on the e-mail (**`eroberts@stanford.edu`**) so I can meet you as well.

Here's the information to include in your e-mail:

1. Your name and the hash code that was generated for it by the program
2. Your year and major
3. When you took 106A (or equivalent course) and how you feel it went for you
4. What you are most looking forward to about 106B
5. What you are least looking forward to about 106B
6. Any information that might be helpful to us about how to best help you learn and master the course material

Part 2. Simple C++ problems

Most of the assignments in this course are single programs of a substantial size. To get you started, however, the first assignment is a series of five short problems that are designed to get you used to using C++ and to introduce the idea of functional recursion. None of these problems will require more than a page of code to complete; most can be solved in just a few lines.

Problem 1 (Chapter 1, exercise 7, page 41)

Greek mathematicians took a special interest in numbers that are equal to the sum of their proper divisors (a proper divisor of *N* is any divisor less than *N* itself). They called such numbers **perfect numbers.** For example, 6 is a perfect number because it is the sum of 1, 2, and 3, which are the integers less than 6 that divide evenly into 6. Similarly, 28 is a perfect number because it is the sum of 1, 2, 4, 7, and 14.

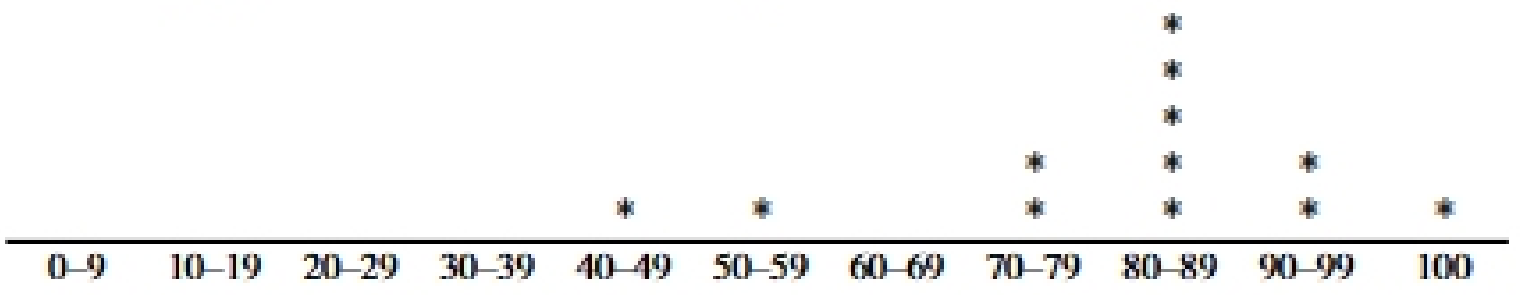
Write a predicate function `IsPerfect` that takes an integer `n` and returns `true` if `n` is perfect, and `false` otherwise. Test your implementation by writing a main program that uses the `IsPerfect` function to check for perfect numbers in the range 1 to 9999 by testing each number in turn. When a perfect number is found, your program should display it on the screen. The first two lines of output should be 6 and 28. Your program should find two other perfect numbers in the range as well.

Problem 2 (Chapter 2, exercise 6, page 79)

A **histogram** is a graphical way of displaying data by dividing the data into separate ranges and then indicating how many data values fall into each range. For example, given the set of exam scores

100, 95, 47, 88, 86, 92, 75, 89, 81, 70, 55, 80

a traditional histogram would have the following form:



The asterisks in the histogram indicate one score in the 40s, one score in the 50s, five scores in the 80s, and so forth.

When you generate histograms using a computer, however, it is usually much easier to display them sideways on the page, as in this sample run:

```
  0:
 10:
 20:
 30:
 40: *
 50: *
 60:
 70: **
 80: *****
 90: **
100: *
```

Write a program that reads in an array of integers—ideally from a text file as described in Chapter 3—and then displays a histogram of those numbers, divided into the ranges 0–9, 10–19, 20–29, and so forth, up to the range containing only the value 100. Your program should generate output that looks as much like the sample run as possible.

Problem 3 (Chapter 3, exercise 2, page 116)

> *Heads. . . .*
> *Heads. . . .*
> *Heads. . . .*
> *A weaker man might be moved to re-examine his faith, if in nothing else at least in the law of probability.*
>
> —Tom Stoppard, *Rosencrantz and Guildenstern Are Dead*, 1967

Write a program that simulates flipping a coin repeatedly and continues until three *consecutive* heads are tossed. At that point, your program should display the total number of coin flips that were made. The following is one possible sample run of the program:

```
tails
heads
heads
tails
tails
heads
tails
heads
heads
heads
It took 10 flips to get 3 consecutive heads.
```

Problem 4 (Chapter 5, exercise 8, page 201)

The mathematical combinations function $C(n, k)$ is usually defined in terms of factorials, as follows:

$$C(n, k) = \frac{n!}{k! \times (n-k)!}$$

The values of $C(n, k)$ can also be arranged geometrically to form a triangle in which n increases as you move down the triangle and k increases as you move from left to right. The resulting structure, which is called *Pascal's Triangle* after the French mathematician Blaise Pascal, is arranged like this:

$$\begin{array}{ccccccccc}
 & & & & C(0,0) & & & & \\
 & & & C(1,0) & & C(1,1) & & & \\
 & & C(2,0) & & C(2,1) & & C(2,2) & & \\
 & C(3,0) & & C(3,1) & & C(3,2) & & C(3,3) & \\
C(4,0) & & C(4,1) & & C(4,2) & & C(4,3) & & C(4,4)
\end{array}$$

Pascal's Triangle has the interesting property that every entry is the sum of the two entries above it, except along the left and right edges, where the values are always 1. Consider, for example, the circled entry in the following display of Pascal's Triangle: