

NEWTON'S LAWS OF MOTION

First Law An object moving with constant velocity will move at the same velocity forever if no net forces act on it.

second law An object of mass (m) has an acceleration (\vec{a}) equal to the net force vector ($\sum \vec{F}$) divided by the mass.

$$\vec{a} = \frac{\sum \vec{F}}{m} \quad \text{or} \quad \sum \vec{F} = m\vec{a}$$

$$[F] = N = \text{kg} \frac{\text{m}}{\text{s}^2}$$

units

where: $\sum_{i=1}^N \vec{F}_i = \vec{F}_1 + \vec{F}_2 + \vec{F}_3 + \dots + \vec{F}_N$

Remember how to add (sum) vectors

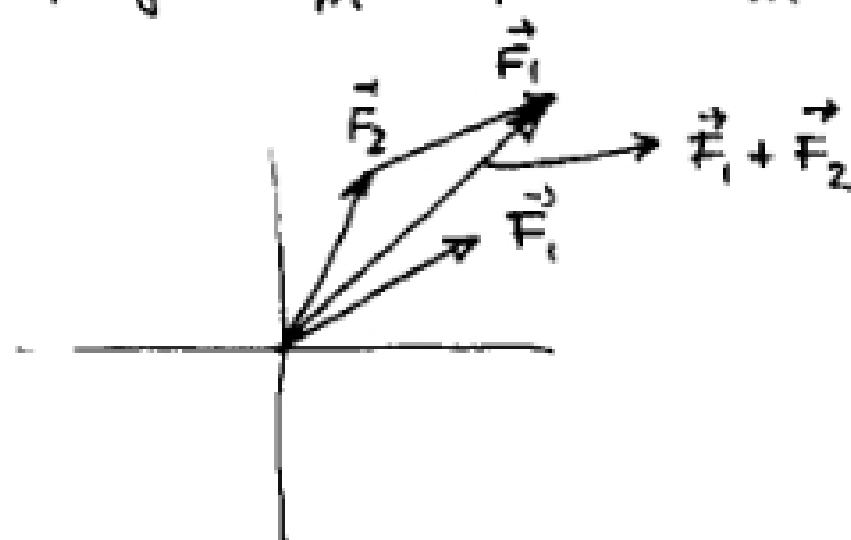
i) by components;

$$\sum \vec{F} = \sum F_x \hat{x} + \sum F_y \hat{y} + \sum F_z \hat{z} \quad \left[\sum_{i=1}^N F_{xi} = F_{x1} + F_{x2} + \dots \right]$$

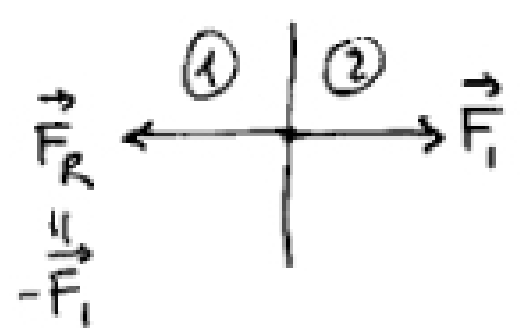
so, in the same way we can study the acceleration by its components:

$$a_x = \frac{\sum F_x}{m}, \quad a_y = \frac{\sum F_y}{m}, \quad a_z = \frac{\sum F_z}{m}$$

ii) geometrically:



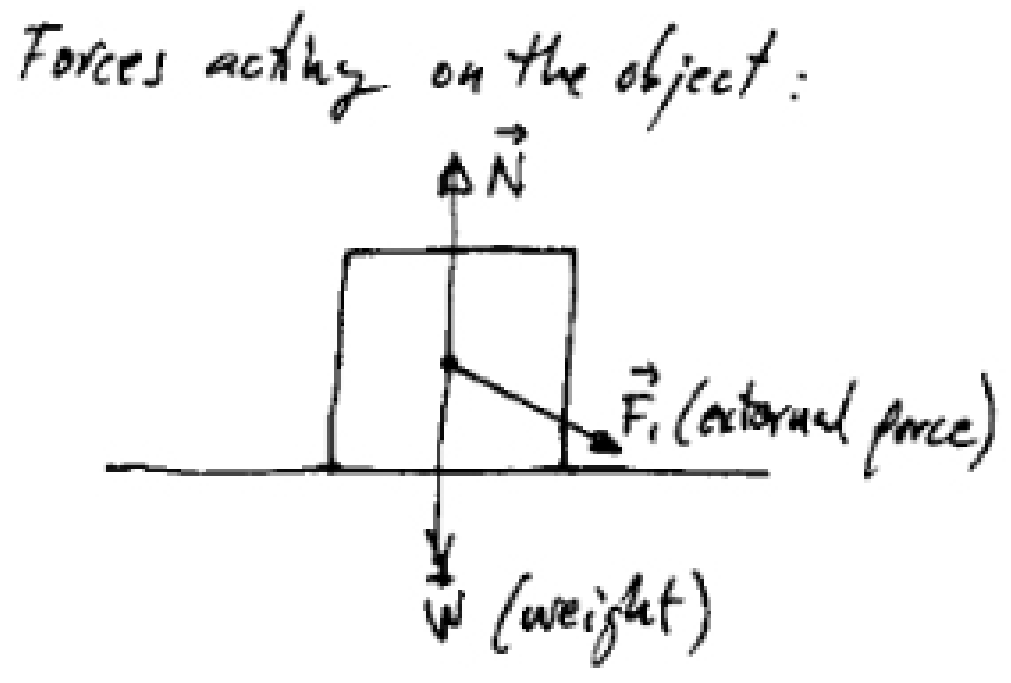
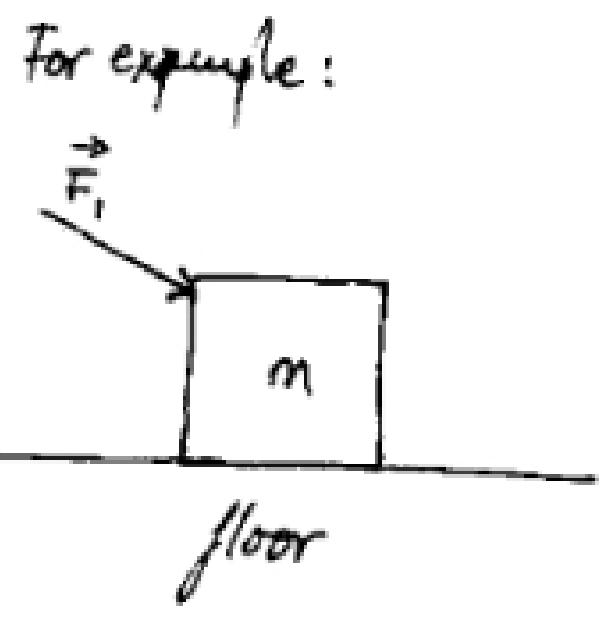
third law For every force that acts on an object there is a reaction force that is equal in magnitude and opposite in direction.



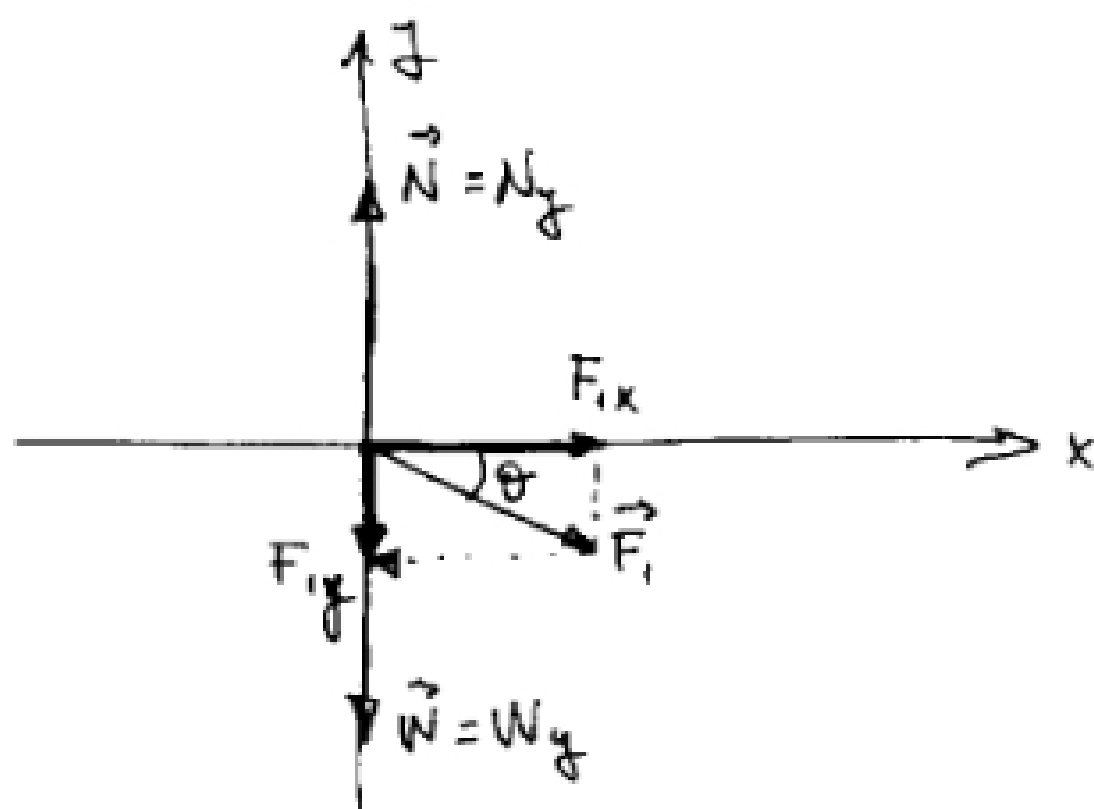
FREE-BODY DIAGRAMS

For non-rotational motion, all the forces acting on an object can be taken to act on a point. This point usually corresponds to the center of mass of the object.

i) First step: Figure out each and every external force acting on an object, taking into account direction and magnitude.



ii) second step: Project each force on the coordinate system axes. For this, an appropriate coordinate system should be chosen.



iii) third step: Work out the resulting net force on each of the axes (x, y).

on the x -axis: $\sum F_x = F_{1x}$

on the y -axis: $\sum F_y = N_y + F_{1y} - W_y$

where: $F_x = F_1 \cos \theta$
 $F_y = + F_1 \sin \theta$

iv) Fourth step: Apply the equations of motion seen in the previous chapter by using the acceleration generated by the net forces.

$$a_x = \sum \frac{F_x}{m} = F_{1x}/m$$

$$a_y = \sum \frac{F_y}{m} = (N_y - F_{1y} - W_y)/m$$