

Raytracing Implementation

- Raytracing breaks down into two tasks:
 - Constructing the rays to cast
 - Intersecting rays with geometry
- The former problem is simple vector arithmetic
- The intersection problem arises in many areas of computer graphics
 - Collision detection
 - Other rendering algorithms
- Intersection is essentially root finding (as we will see)
 - Any root finding technique can be applied

Constructing Rays

- Define rays by an initial point and a direction: $\mathbf{x}(t) = \mathbf{x}_0 + t\mathbf{d}$
- Eye rays: Rays from the eye through a pixel
 - Construct using the eye location and the pixel's location on the image plane.
 $\mathbf{x}_0 = \text{eye}$
- Shadow rays: Rays from a point on a surface to the light.
 - $\mathbf{x}_0 = \text{point on surface}$
- Reflection rays: Rays from a point on a surface in the reflection direction
 - Construct using laws of reflection. $\mathbf{x}_0 = \text{surface point}$
- Transmitted rays: Rays from a point on a transparent surface through the surface
 - Construct using laws of refraction. $\mathbf{x}_0 = \text{surface point}$

Ray-Object Intersections

- Aim: Find the parameter value, t_i , at which the ray first meets object i
- Transform the ray into the object's local coordinate system
 - Makes ray-object intersections generic: ray-sphere, ray-plane, ...
- Write the surface of the object implicitly: $f(\mathbf{x})=0$
 - Unit sphere at the origin is $\mathbf{x}^2-1=0$
 - Plane with normal \mathbf{n} passing through origin is: $\mathbf{n}\cdot\mathbf{x}=0$
- Put the ray equation in for \mathbf{x}
 - Result is an equation of the form $f(t)=0$ where we want t
 - Now it's just root finding