

Physics 113 - Midterm 1

Lenses

$1/f = 1/d_i + 1/d_o$ (d_i is positive behind the lens, d_o is positive in front of the lens) (observer is behind)

$f=+$ for converging, $f=-$ for diverging

$m = h_i/h_o = -d_i/d_o$ (image is virtual in front of the lens, and real behind it)

Power of a Lens = $1/f$ (in meters)

Magnifying Power = θ_i/θ_{ref} magnifying glass or microscope θ_{ref} = height at nearpoint

Telescope Magnifying Power = angular size of object where it is

Magnifying Glass

$M = \theta_i/\theta_{ref} = (h_o/d_o)/(h_o/N) = N/d_o = N(1/f - 1/d_i)$

$\theta_{ref} = \theta$ at near point d_i is negative/virtual

Microscope (image is virtual/inverted)

$M = [-(L - f_{eyepiece})N]/(f_o f_e)$

L = length between eyepiece and objective

Telescope

$M = -f_o/f_e$ The best telescopes have focal lengths that just overlap

Springs and Harmonic Motion

$F = -kx$ (x in meters) $f = w/2\pi$

$w = (k/m)^{1/2}$ $f = 1/T$

$a_{max} = Aw^2$

Pendulum

$w = (g/L)^{1/2}$

$1/T = (1/2\pi)(g/L)^{1/2}$

Glasses

near sighted-virtual, upright

far sighted-virtual, upright

VIRTUAL IMAGES WON'T SHOW ON A SCREEN at d_i

Wave Equation

Toward + X $y = A \sin(2\pi ft - 2\pi x/\lambda)$

DISTANCE BETWEEN NODES = $\lambda/2$

Toward - X $y = A \sin(2\pi ft + 2\pi x/\lambda)$ g

Sound

speed of sound = about 340 m/s

Sound Intensity = $P/4\pi r^2 = P/A$

Decibals $\beta = (10 \text{ dB}) \log (I/I_0)$ relative to another sound or to the threshold of hearing (1×10^{-12})

Doppler Effect

$f_o = f_s [(1 \pm v_o/v)/(1 \pm v_s/v)]$ v = speed of sound

Sound Diffraction

Single Slit first minimum $\sin \theta = \lambda/D$

Circular slit diffraction first minimum $\sin \theta = 1.22 \lambda/D$

Standing Wave (Resonance)

Tube open at both ends $f_n = n(v/2L)$

beat frequency = $\text{freq}^1 - \text{freq}^2$

Tube open at one end $f_n = n(v/4L)$ overtones only happen at odd harmonics

Doppler Effect of Light

$f_o = f_s(1 \pm V/c)$

Light Diffraction

Bright Fringes of A Double Slit/multiple slits - $\sin \theta = m \lambda/d$

Bright fringes of a single slit $w \sin \theta = m \lambda$

Resolving Power must be in RADIANS

$\sin \theta = 1.22 \lambda/D$ $s = \theta h$

D = diameter of eye, s = separation of objects

Young's Double Slit Experiment (multi-slit)

Bright Fringes: $\sin \theta = m \lambda/d$

m is the order, central fringe is 0

Thin Film Interference

$L_b - L_a = 0, \lambda/4, 3\lambda/4, 5\lambda/4$

-must add $\lambda/4$ whenever

light reflects from a smaller n off a larger n

-must adjust the λ for the medium you are in

by $\lambda^1 = \lambda/n$

-The two smallest non zero thickness usually occur at $L_b - L_a = 0, \lambda/4$

Single Slit Interference

Dark Fringes: $\sin \theta = m \lambda/W$