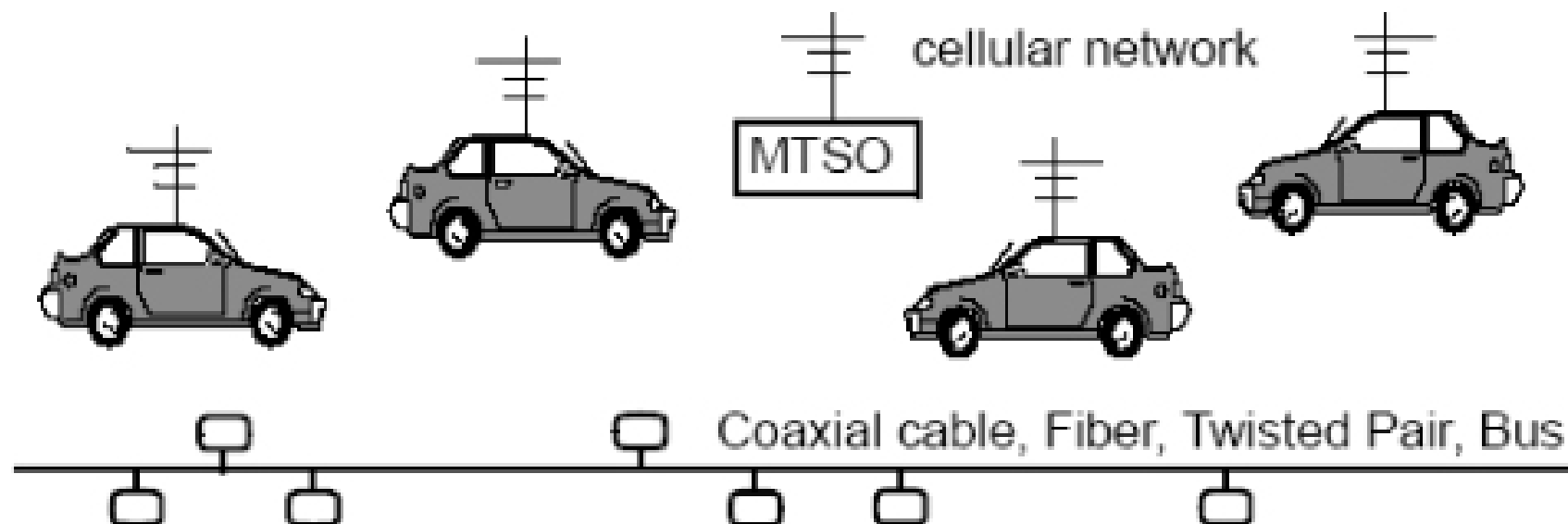


# Multiaccess Problem

- How to let distributed users (efficiently) share a single broadcast channel?  
⇒ How to form a queue for distributed users?
- The protocols we used to solve this multiaccess problem are called multiaccess protocols. They are the lower sublayer of Data Link Control layer in the OSI model.
- The queueing theory studies properties of waiting queues. The mathematical formula of queueing theory can be used to evaluate the efficiency of different queueing system designs. In our applications, the efficiency of various multiaccess protocols.



# Queueing Theory

Parameter of interest to queueing analysis:

$\lambda$  average (avg, or mean) arrival rate (requests/sec) (packets/sec)

$\mu$  avg service rate (requests/sec) (packets/sec)

$\rho = \lambda/\mu$  utilization or traffic density, the ratio of system load to system capacity

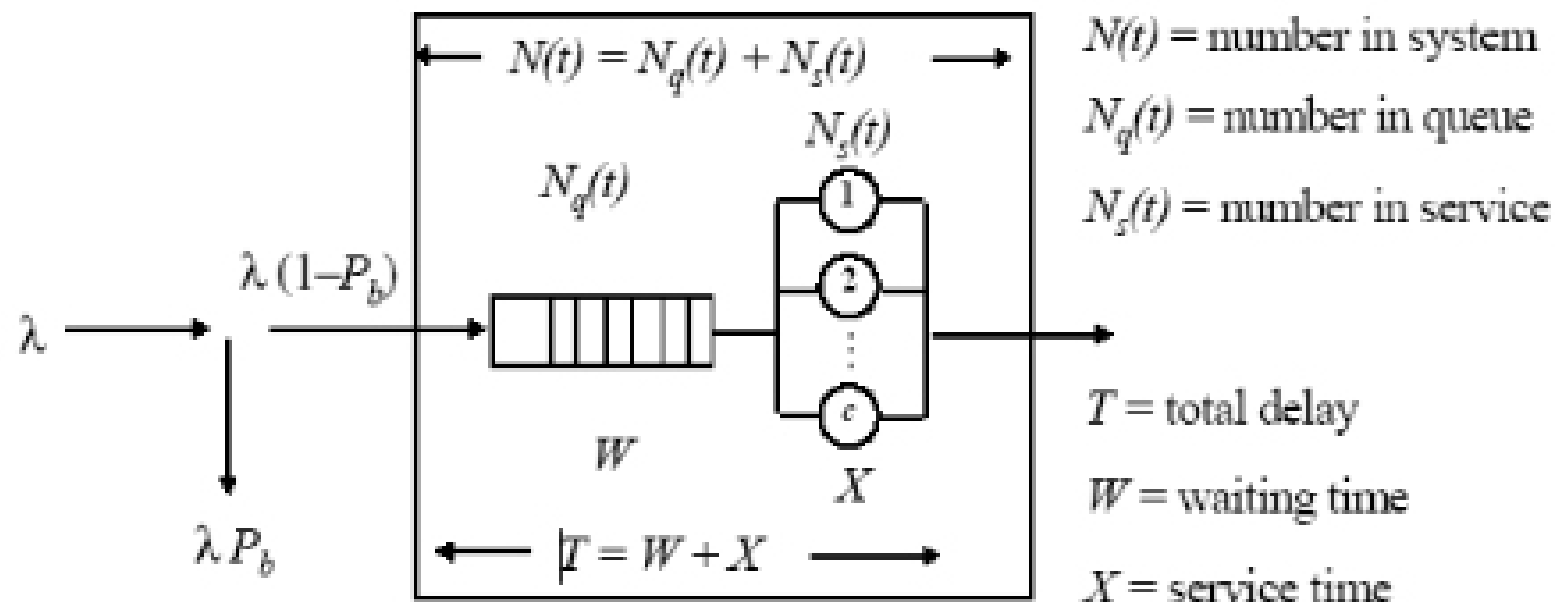
$N$  avg no. of requests in the system, including those in buffers and in servers.

$T_w$  avg waiting time for a request at the buffer

$T_s$  avg service time for a request

$T$  avg delay in the system =  $T_s + T_w$ ; its inverse is the avg system throughput.

$P_B$  probability of request lost (due to buffer full situation)



# Queueing Model Classification

*Arrival Process / Service Time / Servers / Max Occupancy*

|                           |   |                   |   |             |   |                |   |
|---------------------------|---|-------------------|---|-------------|---|----------------|---|
|                           | ↗ |                   | ↗ |             | ↑ |                | ↖ |
| Interarrival times $\tau$ |   | Service times $X$ |   | 1 server    |   | $K$ customers  |   |
| M = exponential           |   | M = exponential   |   | $c$ servers |   | unspecified if |   |
| D = deterministic         |   | D = deterministic |   | infinite    |   | unlimited      |   |
| G = general               |   | G = general       |   |             |   |                |   |
| Arrival Rate:             |   | Service Rate:     |   |             |   |                |   |
| $\lambda = 1 / E[\tau]$   |   | $\mu = 1 / E[X]$  |   |             |   |                |   |

Multiplexer Models:  $M/M/1/K$ ,  $M/M/1$ ,  $M/G/1$ ,  $M/D/1$

Trunking Models:  $M/M/c/c$ ,  $M/G/c/c$

User Activity:  $M/M/\infty$ ,  $M/G/\infty$