

## Test #3 Overview

**Chapters covered:** Chapter 6 in Statics, 12<sup>th</sup> Edition, by Hibbeler

**Related Homework Assignments:** Chapter 6 homework in Mastering Engineering

**Format:** No books, notes, or formula sheets are allowed on the test.  
Problems are similar to homework, class, and textbook problems mainly.  
Table 5-1 (2D reactions) and Table 5-2 (3D reactions) provided.  
Probably 4-6 problems.

Most likely problem breakdown:

- Truss analysis – Method of Joints 1 problem
- Truss analysis – Method of Sections 1 problem
- Frame analysis 1-2 problems
- Machine analysis 1-2 problems

**Hints for success:** Work more textbook problems for preparation.  
Study the sample problems in the textbook.  
Show clear diagrams and all work on the test.  
If significant work is done using a calculator, write down what you entered into the calculator for possible partial credit.

### Major Topics in Chapter 6

Three key structures covered: trusses, frames, and machines

#### Trusses:

- Made up of 2-force members only (so members only experience axial forces)
- Joints are pinned so yield no moments
- Designed to support a load
- Loads applied only at joints
- Axial forces in members in tension (T) or compression (C)
- Zero-force members can often be spotted by inspection
- Analyzed by two methods: Method of Joints and Method of Sections (you must use the method specified on test)

#### Method of Joints:

- Tedious, but best method for finding forces in all members
- Generally begin by analyzing the entire structure to determine the reactions at the supports - draw FBD for the entire structure
- Continue by analyzing one joint at a time (look for joints with only 2 unknowns) - draw FBD for the joint being analyzed
- Analyze each joint with 2 equations:  $\Sigma F_x = 0$ ,  $\Sigma F_y = 0$

#### Method of Sections:

- Often the best method for finding the forces in members in the middle of a truss
- Draw a section line through the truss cutting it in half (generally cutting only 3 members in order to obtain a full solution).
- Often begin by analyzing the entire structure to determine the reactions at the supports - draw FBD for the entire structure. (Note: You actually only need to find the reactions on the section that you will be analyzing.)
- Analyze either section (draw a FBD for the section to be used) using 3 equilibrium equations (see boxed section below)

### **Frames:**

- Structures designed to support some load that contain at least one *multiforce member*
- Generally begin by analyzing the entire structure to determine the reactions at the supports - draw FBD for the entire structure using 2D equilibrium equations (see boxed section below).
- Continue by analyzing multiforce members (draw a FBD for the multiforce member and apply 2D equilibrium equations). Look for multiforce members with 3 unknowns or less.
- If no multiforce members have 3 unknowns or less, a partial solution can sometimes be found for one multiforce member and then the results can be transferred to another multiforce member.
- When an internal force is found on one multiforce member, be sure to reverse the direction when transferring it to another multiforce member.

### **Machines:**

- Structures or devices that contain at least one multiforce member
- Generally designed to modify or transmit a force
- There are often no supports with machines (Example: pliers). If supports are present, we generally begin by analyzing the entire machine to determine the reactions at the supports using 2D equilibrium equations (see boxed section below).
- Continue analyzing multiforce members as with frames.

#### **2D Equilibrium equations:** (3 equations total in most cases)

- most common set of equations:  $\Sigma F_x = 0$  ,  $\Sigma F_y = 0$  ,  $\Sigma M_A = 0$  (for any point A)
- other possible sets: 1)  $\Sigma F_x = 0$  ,  $\Sigma M_A = 0$  ,  $\Sigma M_B = 0$  (A and B not on a vertical line)  
2)  $\Sigma F_y = 0$  ,  $\Sigma M_A = 0$  ,  $\Sigma M_B = 0$  (A and B not on a horizontal line)  
3)  $\Sigma M_A = 0$  ,  $\Sigma M_B = 0$  ,  $\Sigma M_C = 0$  (A, B, and C not on any line)