

5.6 Wave Functions & Quantum Numbers

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Schrödinger's "wave functions" (ψ)
Bohr's orbitals (ψ^2)

Wave equation \rightarrow wave $f(x)$ or orbital (ψ) \rightarrow Probability of finding e^- in region of space

3 Parameters

* Principal Quantum# (n)

- *defines E level*
- Size & E of orbital

- called a shell

- simple (+) integers (1, 2, 3...)

* Angular Quantum# (l)

- *defines shape*
- 3D shape of orbital

- subshells

- "n" different shapes

> s, p, d, f, g
0 1 2 3 4

* Magnetic Quantum#

- *define spatial orientation of suborbitals*

- $2l + 1$ values (can be (-))

eigenvalues (e^- overlap)

TABLE 5.1 Allowed Combinations of Quantum Numbers n , l , and m_l for the First Four Shells

n	l	m_l	Orbital Notation	Number of Orbitals in Subshell	Number of Orbitals in Shell
1	0	0	1s	1	1
2	0	0	2s	1	4
	1	-1, 0, +1	2p	3	
3	0	0	3s	1	9
	1	-1, 0, +1	3p	3	
	2	-2, -1, 0, +1, +2	3d	5	
4	0	0	4s	1	16
	1	-1, 0, +1	4p	3	
	2	-2, -1, 0, +1, +2	4d	5	
	3	-3, -2, -1, 0, +1, +2, +3	4f	7	

Using Quantum# for orbital notation

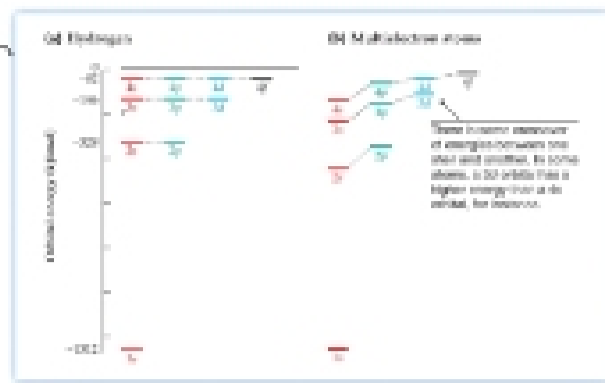
$n=3$ $l=1$ $m=1$

orbital \rightarrow 3p

your "n" value gives the shell number

determined using l value (0=s, 1=p, 2=d, 3=f, ...)

Unoccupied Orbitals



↗ excited states
 ← lowest E is "ground state"

5.7 - Shapes of Orbitals

1 "s" orbital is spherical

3 "p" orbitals 2-lobed & dumbbell shaped



5.8 Atomic Line Spectra

Energy Quantization

- e⁻ in occupied orbitals excited into unoccupied e⁻ levels
- Outer shells = ↑ energy
 > more E required to reach

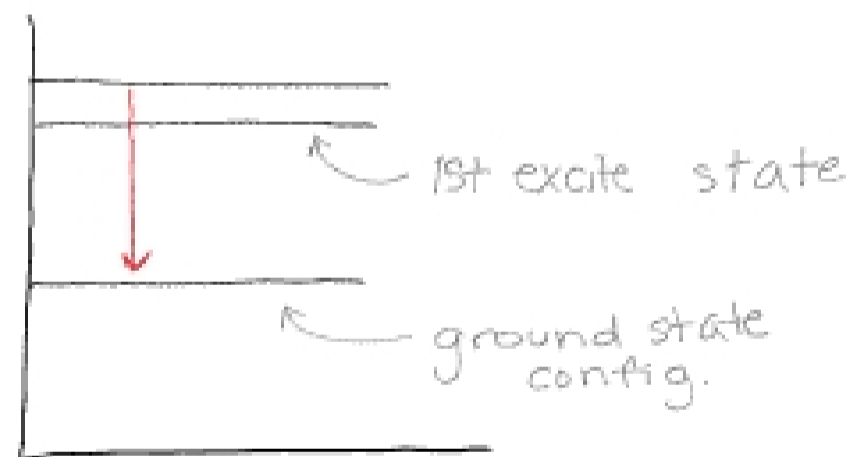
Spectral Lines

- Separations b/w orbitals (E)

m - shell transferring to (inner)
 n - shell transferring from (outer)

$$\frac{1}{\lambda} = R \left(\frac{1}{m^2} - \frac{1}{n^2} \right)$$

gap b/w is quantized Energy (E)



5.9 e^- Spin & the Pauli Exclusion Principle

Fermions (p^+ , n^0 , e^-)

↳ Half integer spins ($+\frac{1}{2}$, $-\frac{1}{2}$)

• Cannot superimpose

↳

Bosons (photons)

↳ Integer spins

• Can superimpose

What does a half spin mean?

↳ $2e^-$ can be in same orbital, if opposite spins

Spin Quantum # (m_s) → e^- spin have tiny magnetic fields

Pauli Exclusion Principle

> No 2 e^- in atom can have same 4 quantum number

1s orbital has 2 e^-

2p orbital has 6 e^-

⋮

5.10 Orbital E levels in Multielectron Atoms

> ↑ the elements get (more protons), orbitals get more strength

⇒ Hydrogen orbitals are degenerate

(1s/2p separation same as 1s/2s)

• larger elements, E in subshells are ≠

(1s/2p ≠ 1s/2s)

> Radius is relative to stability "