

Relational Database Design Theory Part I

CPS 116
Introduction to Database Systems

Announcements (September 11)

- ◆ Homework #1 due in one week
- ◆ Details of the course project and a list of suggested ideas will be available this Thursday

Motivation

SID	name	CID
112	Bart	CPS116
112	Bart	CPS110
227	Lisa	CPS116
227	Lisa	CPS120
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- ◆ How do we tell if a design is bad, e.g., *StudentEnroll* (*SID*, *name*, *CID*)?
 - This design has redundancy, because the name of a student is recorded multiple times, once for each course the student is taking
- ◆ How about a systematic approach to detecting and removing redundancy in designs?
 - Dependencies, decompositions, and normal forms

Functional dependencies

- ✦ A functional dependency (FD) has the form $X \rightarrow Y$, where X and Y are sets of attributes in a relation R
- ✦ $X \rightarrow Y$ means that whenever two tuples in R agree on all the attributes in X , they must also agree on all attributes in Y

X	Y	Z
a	b	c
a	b	?
...

Must be b Could be anything

FD examples

Address (street_address, city, state, zip)

- Trivial FD: $LHS \supseteq RHS$
- Completely non-trivial FD: $LHS \cap RHS = \emptyset$

Keys redefined using FD's

A set of attributes K is a key for a relation R if

- ✦ $K \rightarrow$ all (other) attributes of R
 - That is, K is a "super key"
- ✦ No proper subset of K satisfies the above condition
 - That is, K is minimal

Reasoning with FD's

Given a relation R and a set of FD's \mathcal{F}

- ◆ Does another FD follow from \mathcal{F} ?
 - Are some of the FD's in \mathcal{F} redundant (i.e., they follow from the others)?
- ◆ Is K a key of R ?
 - What are all the keys of R ?

Attribute closure

◆ Given R , a set of FD's \mathcal{F} that hold in R , and a set of attributes Z in R :

The closure of Z (denoted Z^+) with respect to \mathcal{F} is the set of all attributes $\{A_1, A_2, \dots\}$ functionally determined by Z (that is, $Z \rightarrow A_1 A_2 \dots$)

- ◆ Algorithm for computing the closure
 - Start with closure = Z
 - If $X \rightarrow Y$ is in \mathcal{F} and X is already in the closure, then also add Y to the closure
 - Repeat until no more attributes can be added

A more complex example

StudentGrade (*SID*, *name*, *email*, *CID*, *grade*)

- ◆ $SID \rightarrow name, email$
- ◆ $email \rightarrow SID$
- ◆ $SID, CID \rightarrow grade$

(Not a good design, and we will see why later)
