

Big M Method

Step 0: Std. Form.

Step 1: Add ^{an} artificial variable to every constraint that doesn't have a slack.

And add/subtract those ^{min} ^{max} artificial variables with a large (M) penalty to the objective function.

Step 2: • Get Tableau

• Put tableau in canonical form
 ↳ use row operations to get a 1 on Row 0 of every artificial variable column.

Step 3: Apply the simplex as usual.

If unbounded rule applies at any ~~step~~ iteration
 \Rightarrow original problem is unbounded.

If optimality test is met:

- ④ at least one artificial with value > 0
 \Rightarrow original problem is infeasible
 - ⑤ otherwise (all artificial's values = 0)
 \Rightarrow found ^{an} optimal solution for original problem
- (mult. optimality test is the same as before)

★ Unbounded test:

If at any iteration you get a tableau that has a column with a **negative** on row 0

And ~~that~~ all other numbers in that column are ≤ 0

\Rightarrow Problem is unbounded.



x_1	x_2	RHS
-3	-1	5
0	-2	3
2	0	2
1	-1	7

