

### Demo 13-1-1 ANSWER

In this problem, let I represent the number of engines shipped to plant I and II represent the number of engines shipped to plant II.

The Objective Function here is to Minimize shipping costs:

$$\text{Min } 20(I) + 35(II)$$

The constraints here are:

You can't ship more than 85 engines:

$$I + II \leq 85$$

You have to ship at least 50 engines to plant I

$$I \geq 50$$

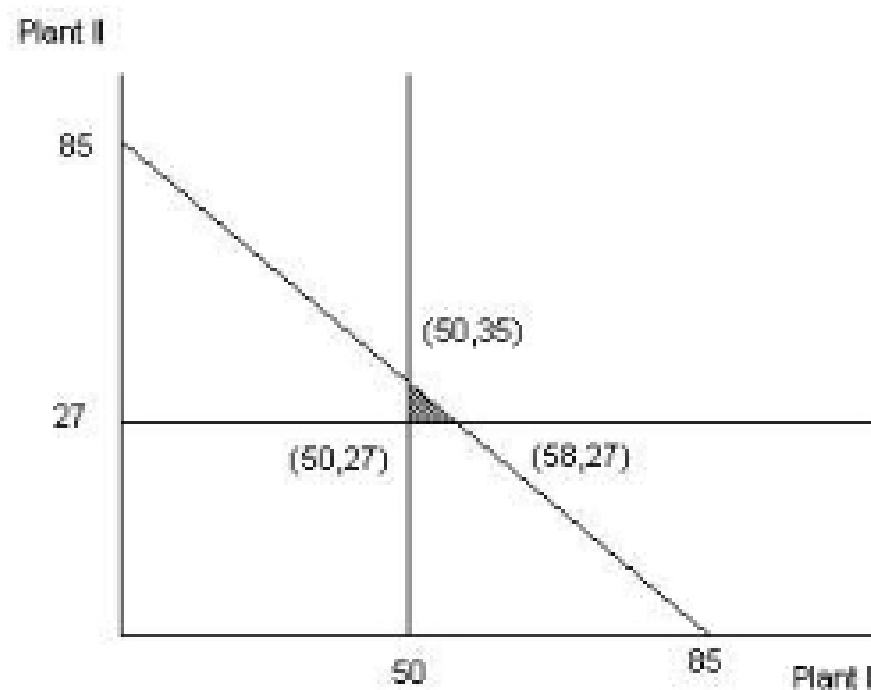
You have to ship at least 27 engines to plant II

$$II \geq 27$$

You can't ship a negative number of engines

$$I, II \geq 0$$

Next, you graph the each of these constraints:



Now, you test each corner solution:

Points	Objective Function: $(20 I + 35 II)$
$(50, 27)$	$20 (50) + 35 (27) = 1000 + 945 = 1945$
$(50, 35)$	$20 (50) + 35 (35) = 1000 + 1225 = 2225$
$(58, 27)$	$20 (58) + 35 (27) = 1160 + 945 = 2105$

The minimum cost is \$1945.

Please send comments and corrections to me at [mconstas@csulb.edu](mailto:mconstas@csulb.edu)

**Demo 13-1-2 ANSWER**

In this problem, let A represent the number of units of Policy A purchased and B represent the number of units of Policy B purchased.

The Objective Function here is to Minimize insurance costs:  $\text{Min } 50(A) + 40(B)$

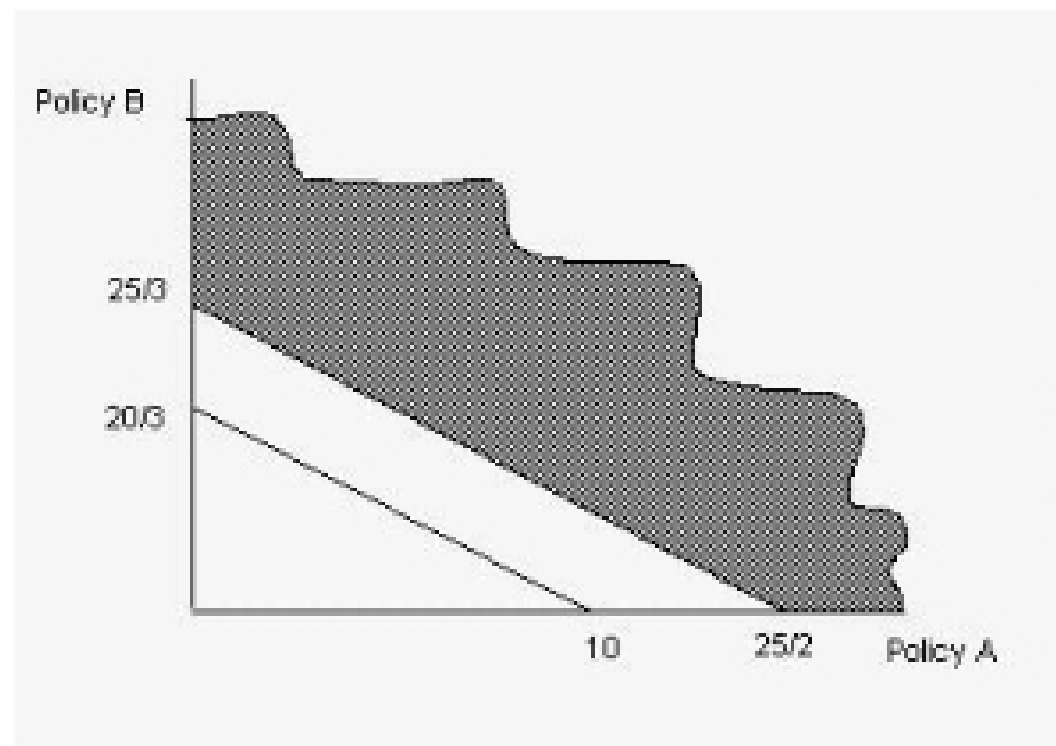
The constraints here are:

You want at least \$100 coverage for fire/theft  $10A + 15B \geq 100$

You want at least \$1000 coverage for liability  $80A + 120B \geq 1000$

You can't purchase a negative number of units of insurance  $A, B \geq 0$

Next, you graph the each of these constraints:



Now, you test each corner solution:

Points	Objective Function: $(50A + 40B)$
$(25/2, 0)$	$50(25/2) + 40(0) = 625 + 0 = 625$
$(0, 25/3)$	$50(0) + 40(25/3) = 0 + 333 = 333$

The minimum cost is \$333.

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**Demo 13-1-3 ANSWER**

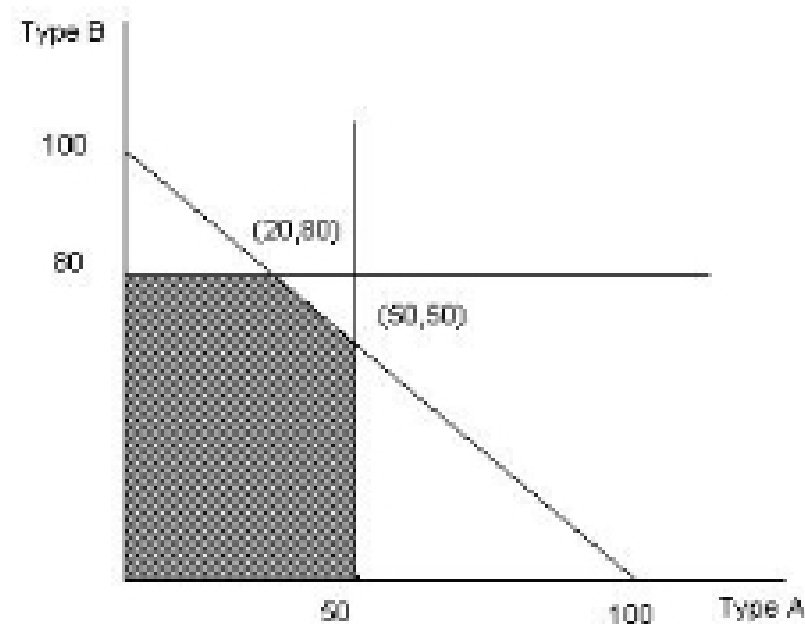
In this problem, let  $A$  represent the number of gallons of milk purchased from Dairy A and  $B$  represent the number of gallons of milk purchased from Dairy B.

The Objective Function here is to Maximize butterfat:  $\text{Max } .037(A) + .032(B)$

The constraints here are:

- |   |                                             |                  |
|---|---------------------------------------------|------------------|
| a | You can only get 50 gallons from Dairy A    | $A \leq 50$      |
| b | You can only get 80 gallons from Dairy B    | $B \leq 80$      |
| c | You can't buy more than 100 gallons of milk | $A + B \leq 100$ |
| d | You can't buy a negative number of gallons  | $A, B \geq 0$    |

Next, you graph the each of these constraints:



Now, you test each corner solution:

Points	Objective Function: $(.037A + .032B)$		
$(0,80)$	$.037(0) + .032(80)$	$= 0 + 2.56$	$= 2.56$
$(20,80)$	$.037(20) + .032(80)$	$= .74 + 2.56$	$= 3.3$
$(50,50)$	$.037(50) + .032(50)$	$= 1.85 + 1.6$	$= 3.45$
$(50,0)$	$.037(50) + .032(0)$	$= 1.85 + 0$	$= 1.85$

The maximum butterfat is 3.45 gallons.

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