

## MECHANICS → Kinematics

### Chapter 2 - Motion along a straight line

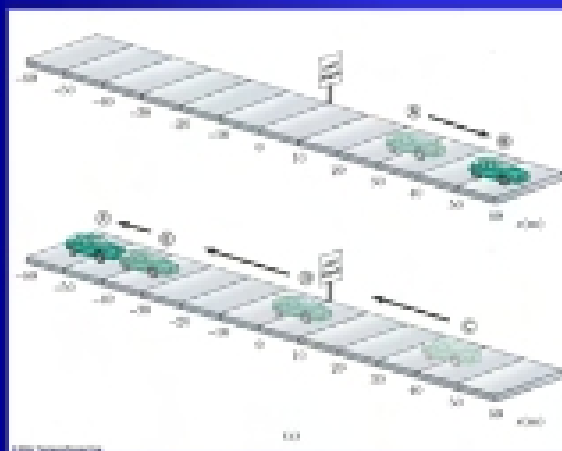
- I. Position and displacement
- II. Velocity
- III. Acceleration
- IV. Motion in one dimension with constant acceleration
- V. Free fall

**Particle:** point-like object that has a mass but infinitesimal size.

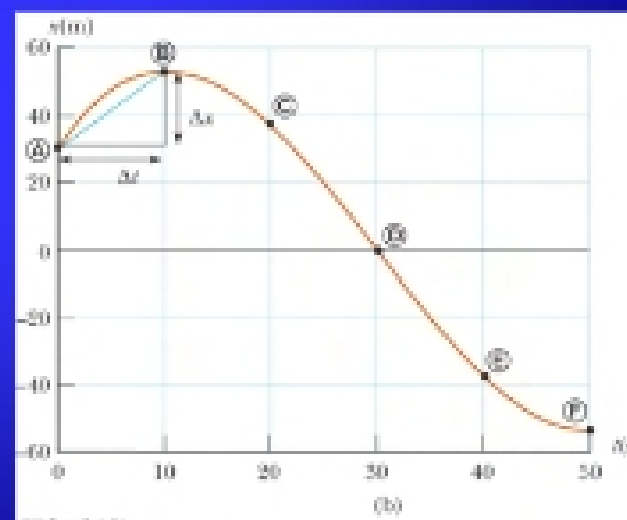
#### I. Position and displacement

**Position:** Defined in terms of a frame of reference:  $x$  or  $y$  axis in 1D.

- The object's position is its location with respect to the frame of reference.



**Position-Time graph:** shows the motion of the particle (car).

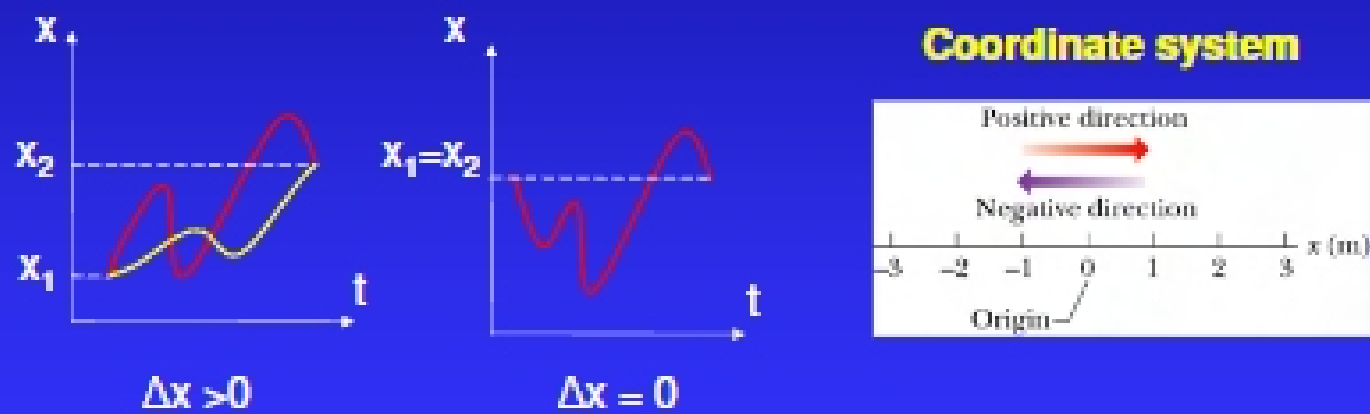


The smooth curve is a guess as to what happened between the data points.

## I. Position and displacement

**Displacement:** Change from position  $x_1$  to  $x_2 \rightarrow \Delta x = x_2 - x_1$  (2.1)  
during a time interval.

- Vector quantity: Magnitude (absolute value) and direction (sign).
- Coordinate (position)  $\neq$  Displacement  $\rightarrow x \neq \Delta x$



Only the initial and final coordinates influence the displacement  $\rightarrow$  many different motions between  $x_1$  and  $x_2$  give the same displacement.

**Distance:** length of a path followed by a particle.

- Scalar quantity

Displacement  $\neq$  Distance

**Example:** round trip house-work-house  $\rightarrow$  distance traveled = 10 km  
displacement = 0

### Review:

- Vector quantities need both magnitude (size or numerical value) and direction to completely describe them.
  - We will use + and - signs to indicate vector directions.
- Scalar quantities are completely described by magnitude only.

## II. Velocity

**Average velocity:** Ratio of the displacement  $\Delta x$  that occurs during a particular time interval  $\Delta t$  to that interval.

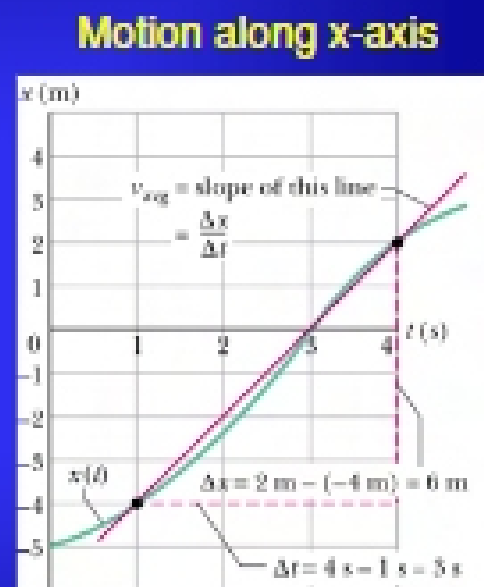
$$v_{avg} = \frac{\Delta x}{\Delta t} = \frac{x_2 - x_1}{t_2 - t_1} \quad (2.2)$$

- **Vector quantity**  $\rightarrow$  indicates not just how fast an object is moving but also in which direction it is moving.

- SI Units: m/s

- Dimensions: Length/Time [L]/[T]

- The slope of a straight line connecting 2 points on an x-versus-t plot is equal to the **average velocity** during that time interval.



**Average speed:** Total distance covered in a time interval.

$$S_{avg} = \frac{\text{Total distance}}{\Delta t} \quad (2.3)$$

$S_{avg} \neq \text{magnitude } V_{avg}$

$S_{avg}$  always  $> 0$

Scalar quantity

Same units as velocity

**Example:** A person drives 4 mi at 30 mi/h and 4 mi at 50 mi/h  $\rightarrow$  Is the average speed  $>, <, = 40$  mi/h ?  **$< 40$  mi/h**

$t_1 = 4 \text{ mi} / (30 \text{ mi/h}) = 0.13 \text{ h}$  ;  $t_2 = 4 \text{ mi} / (50 \text{ mi/h}) = 0.08 \text{ h} \rightarrow t_{tot} = 0.213 \text{ h}$

$\rightarrow S_{avg} = 8 \text{ mi} / 0.213 \text{ h} = 37.5 \text{ mi/h}$