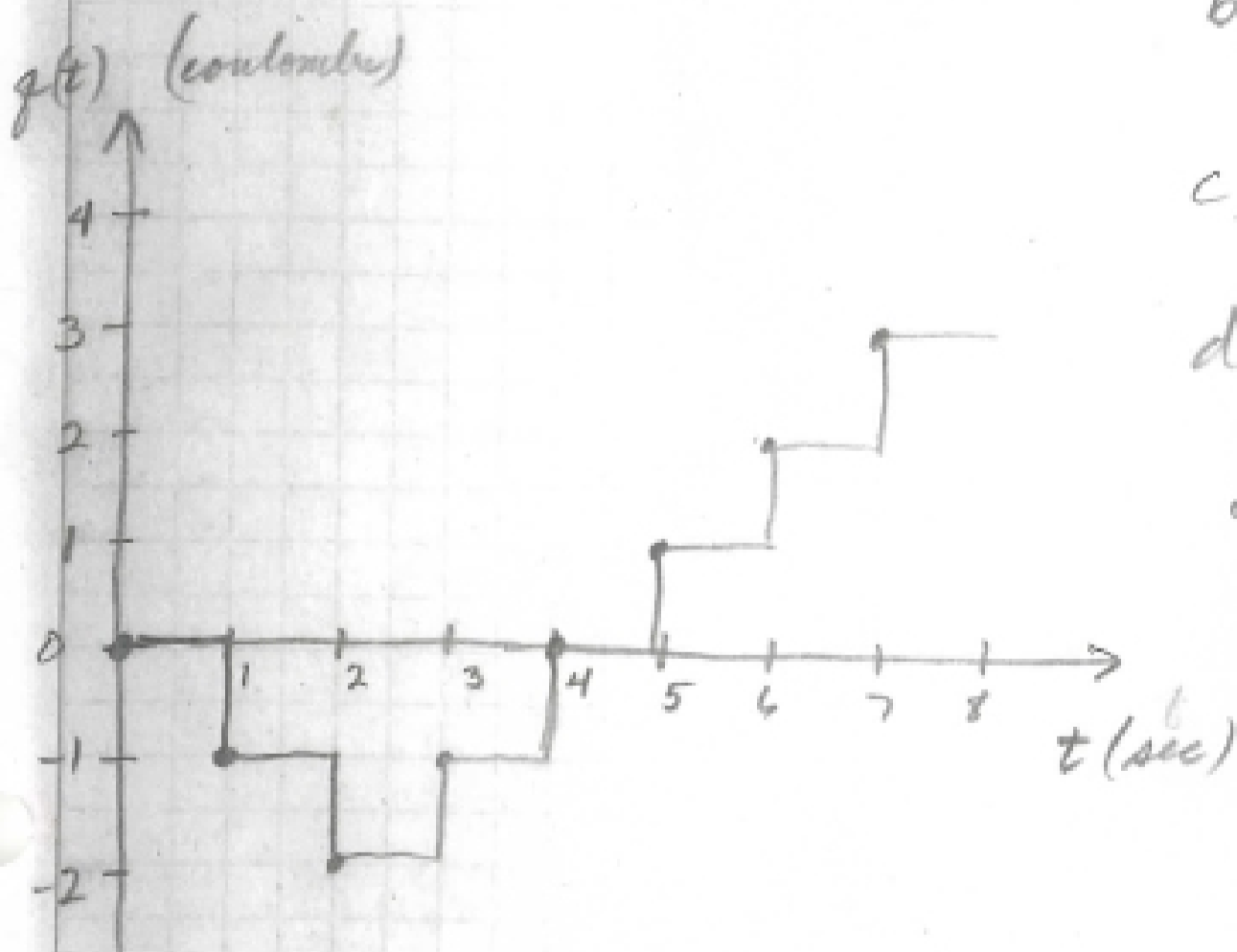


A Electrical charge

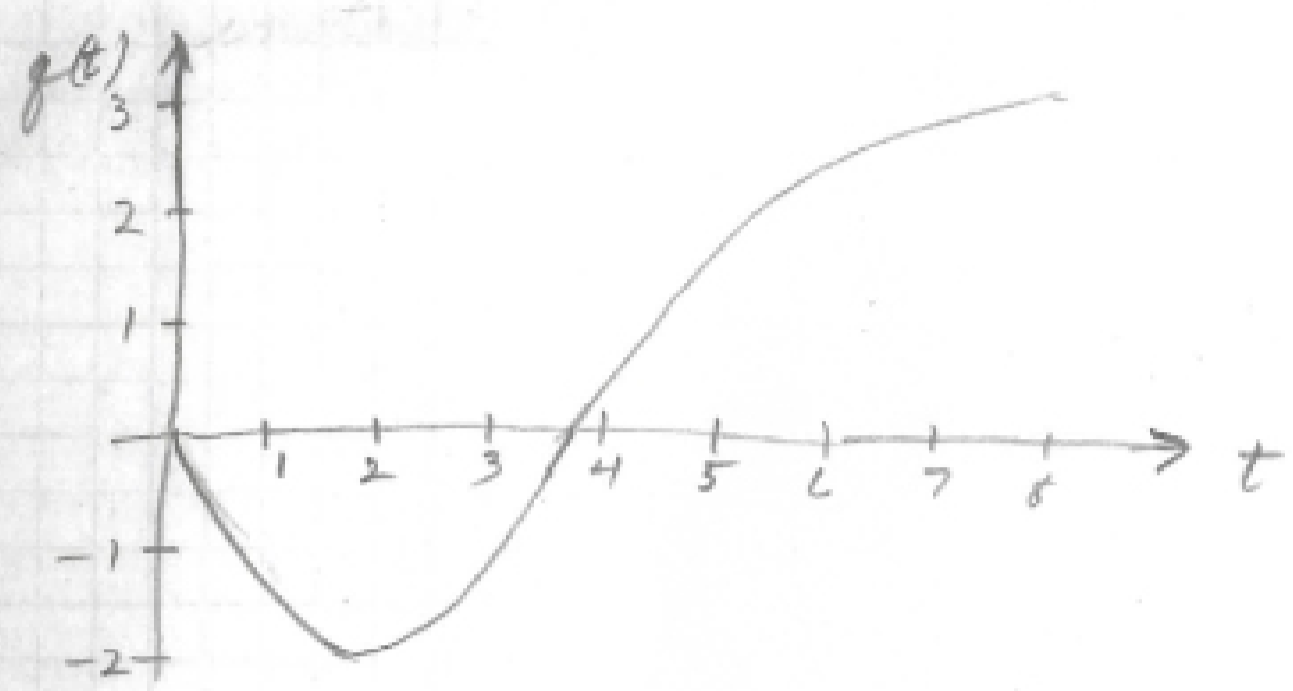
1. Atomic source
 - a) electron - negative
 - b) proton - positive
2. Symbol - $q(t)$
3. Unit of measure - coulomb (C)
 - a) 1 electron = -1.602×10^{-19} C.
 - b) \therefore there are 6.242×10^{18} electrons/C.
4. Stationary charge - static charge
5. Moving charge - current
 - a) requires an energy expenditure

6. Measuring charge

- a) measure charge passing a point
- b) positive direction is to the right
- c) + charge to right, add to total
- d) + charge to left, subtract from total
- e) opposite for negative charge
- f) value recorded at 1 second intervals



7. Increase observations to get $q(t)$ at every instant



a) gives a smooth curve

8. Rate of charge transfer

$$a) \frac{\Delta q}{\Delta t}$$

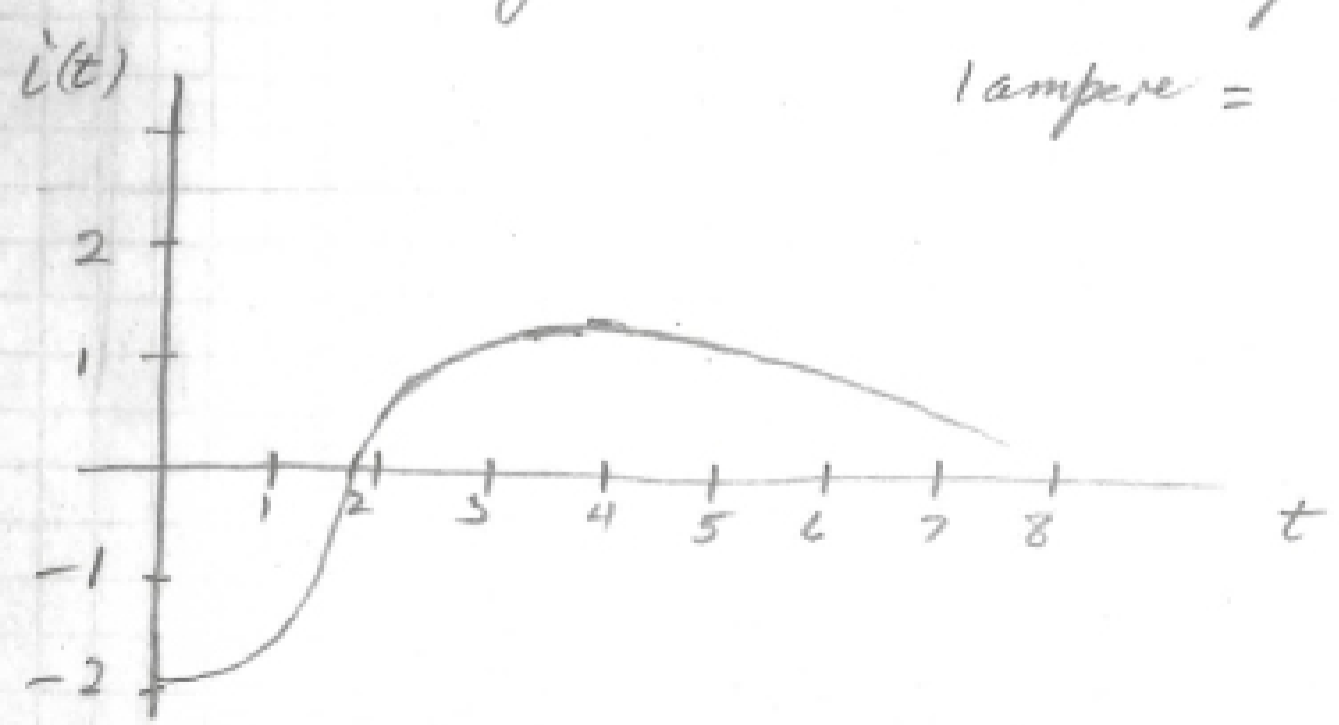
the instantaneous rate of charge transfer
 ↓

$$\lim_{\Delta t \rightarrow 0} \frac{\Delta q}{\Delta t} = \frac{dq}{dt} = i(t) \quad \text{The instantaneous current}$$

b) Symbol for current $i(t)$

c) Unit of measure — ampere (A)

$$1 \text{ ampere} = 1 \text{ C/s}$$



the slope of graph at top of page

9. Charge transferred between t_0 and t

a) $i(t) = \frac{dq}{dt}$

b) $\int_{q(t_0)}^{q(t)} dq = \int_{t_0}^t i(t) dt$

$\therefore q(t) - q(t_0) = \int_{t_0}^t i(t) dt$

or $q(t) = \int_{t_0}^t i(t) dt + q(t_0)$

c) at $t_0 = -\infty$, $q(t_0) = 0$

$\therefore q(t) = \int_{-\infty}^t i(t) dt$

10. Representing current flow in a wire



a) must have magnitude and direction

b) 3 C/s to right or -3 C/s to left

c) same as



d) must change both sign and arrow

11. Conventional charge - flow of positive charge