

Summary from previous lecture

- Laplace transform

$$\mathcal{L}[f(t)] \equiv F(s) = \int_{0-}^{+\infty} f(t)e^{-st} dt.$$

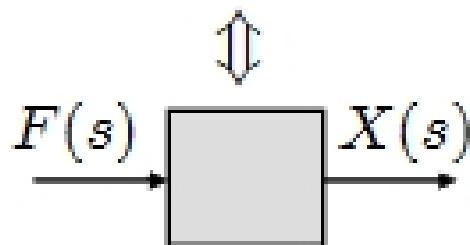
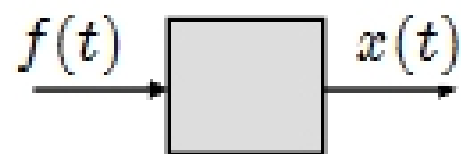
$$\mathcal{L}[\dot{f}(t)] = sF(s) - f(0-).$$

$$\mathcal{L}[u(t)] \equiv U(s) = \frac{1}{s}.$$

$$\mathcal{L}\left[\int_{0-}^t f(\xi)d\xi\right] = \frac{F(s)}{s}.$$

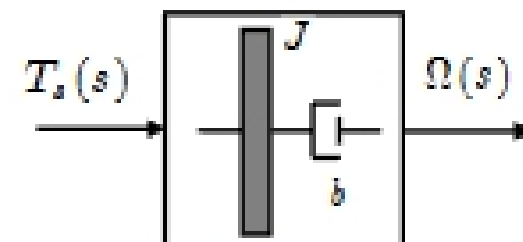
$$\mathcal{L}[e^{-at}] = \frac{1}{s+a}.$$

- Transfer functions and impedances



$$\text{TF}(s) = \frac{X(s)}{F(s)}$$

$$Z(s) = \frac{F(s)}{X(s)}$$



$$\text{TF}(s) := \frac{\Omega(s)}{T_s(s)} = \frac{1}{Js + b}.$$

$$Z_J = Js; \quad Z_b = b; \quad \text{TF}(s) = \frac{1}{Z_J + Z_b}$$

Goals for today

- Dynamical variables in electrical systems:
 - charge,
 - current,
 - voltage.
- Electrical elements:
 - resistors,
 - capacitors,
 - inductors,
 - amplifiers.
- Transfer Functions of electrical systems (networks)
- **Next lecture (Friday):**
 - DC motor (electro-mechanical element) model
 - DC motor Transfer Function

Electrical dynamical variables: charge, current, voltage

charge q

Coulomb [Cb]

charge flow \equiv current $i(t)$

Ampère [A] = [Cb]/[sec]

voltage (*aka* potential) $v(t)$

Volt [V]

